

Vibration monitoring in a pump-pipeline system

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1. Introduction of the problem

- Developments of a vibration monitoring technique based on measurement of pressure signals
- Testing in real environment

„A”



„B”

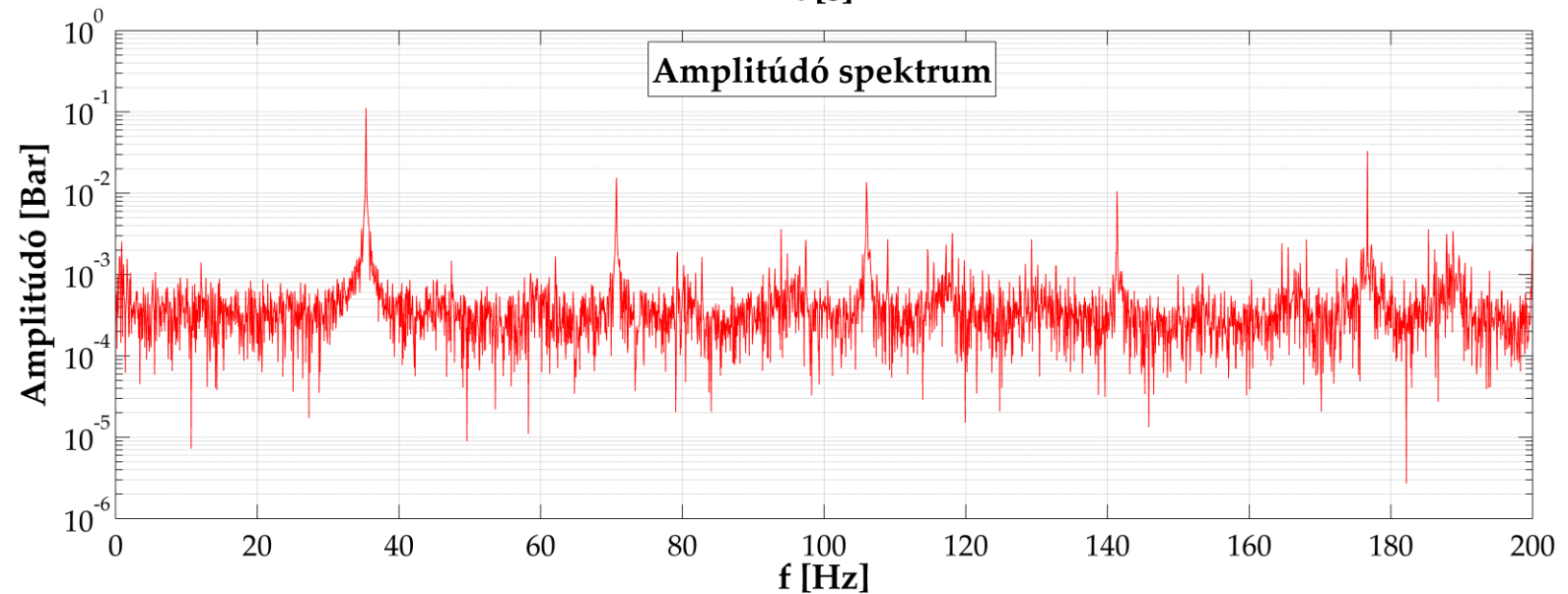
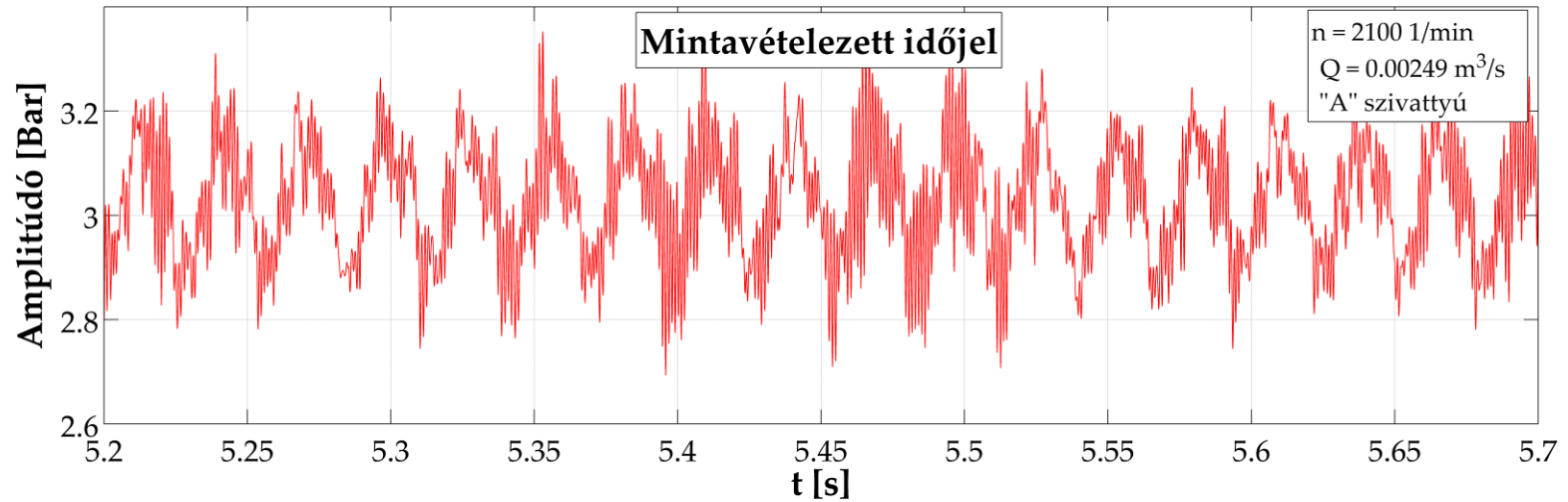


- Comparison, conclusions

2. Vibration monitoring

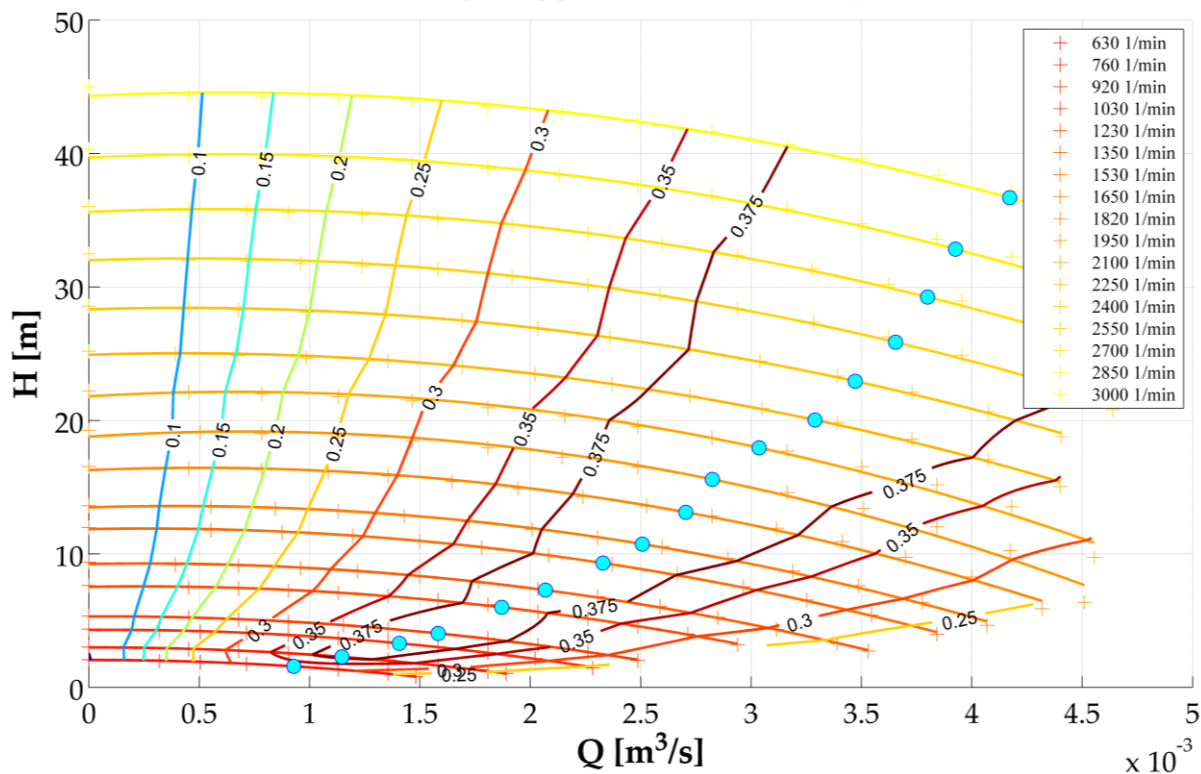
Summary of the method:

1. Pressure signal
2. Sampling
3. FFT
4. Spectra

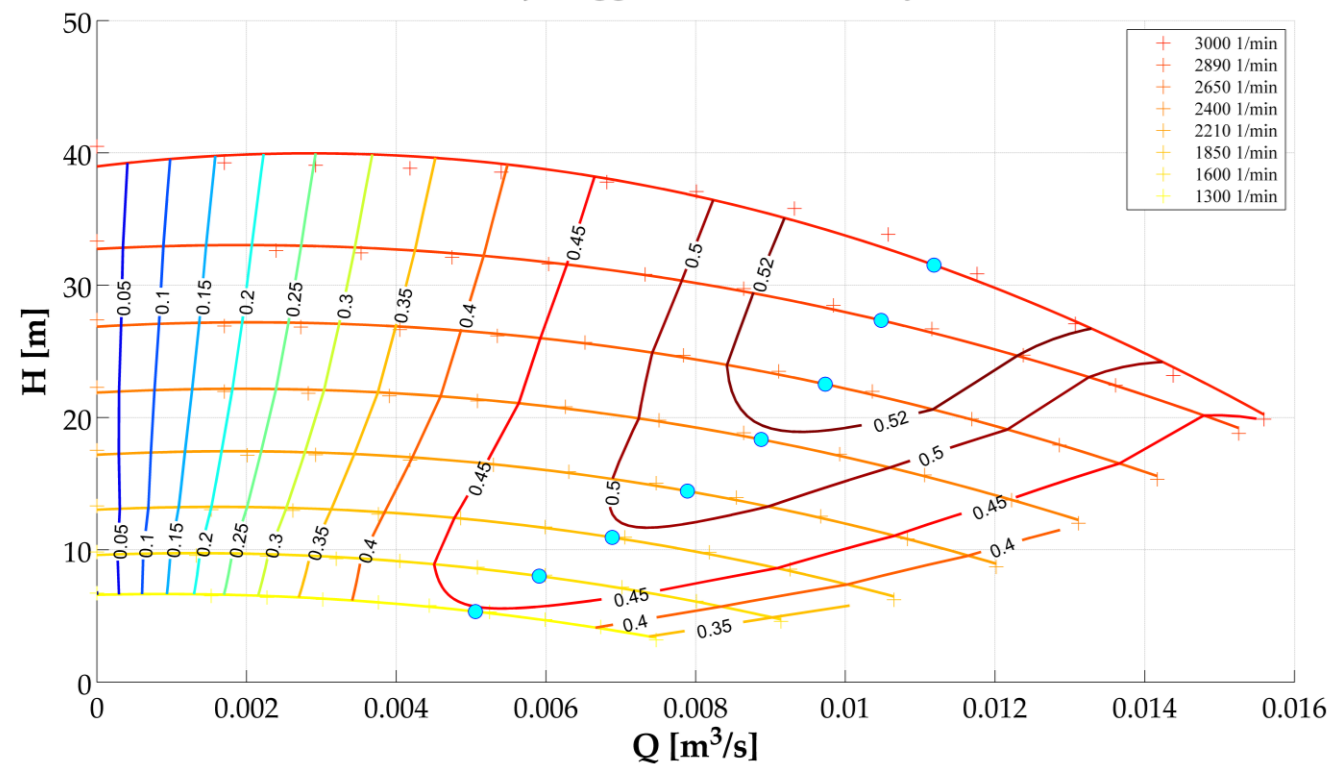


3. Characteristic curves

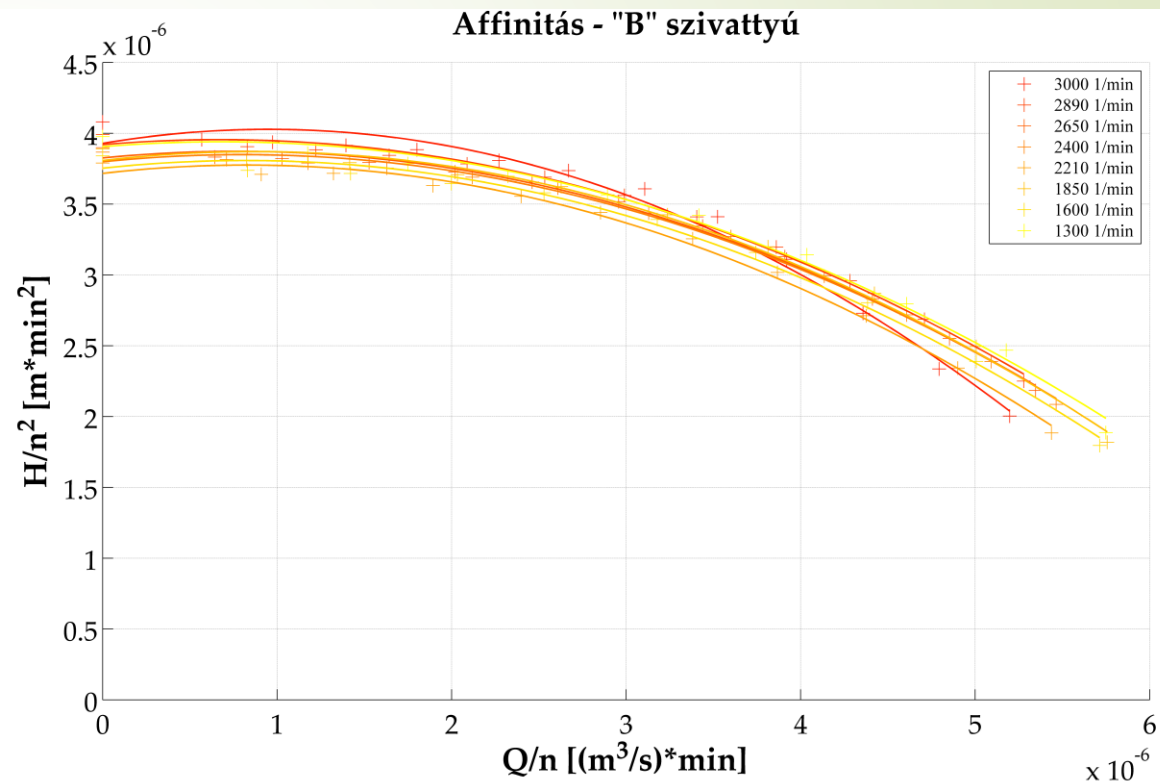
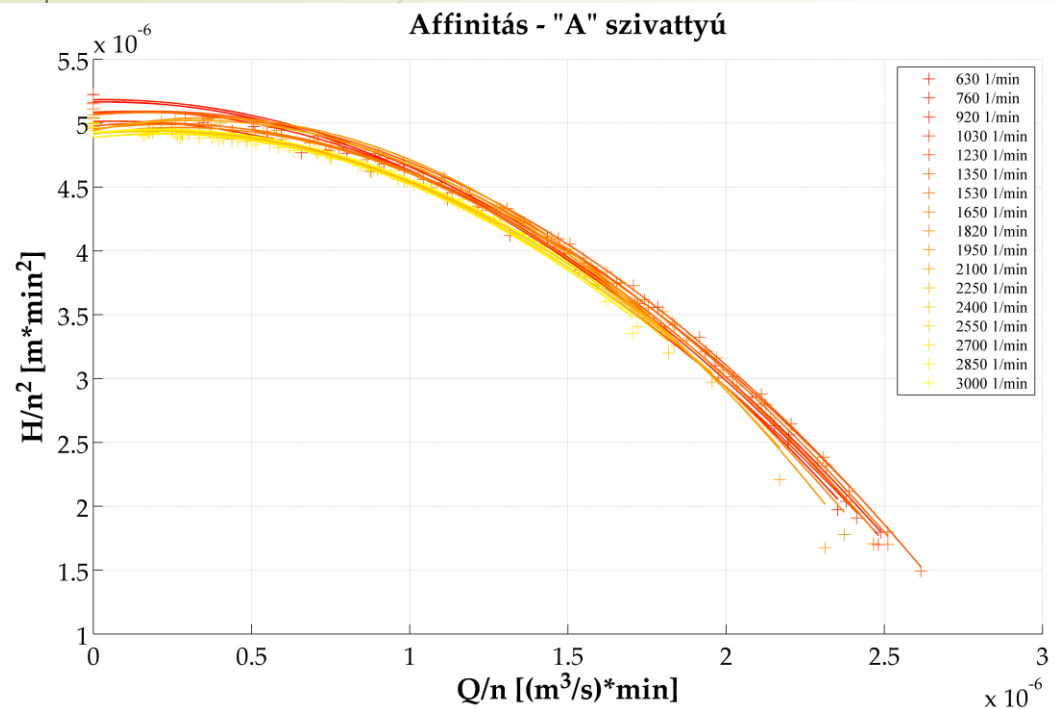
H-Q jelleggörbék - "A" szivattyú



H-Q jelleggörbék - "B" szivattyú



3. Affinity (only check)

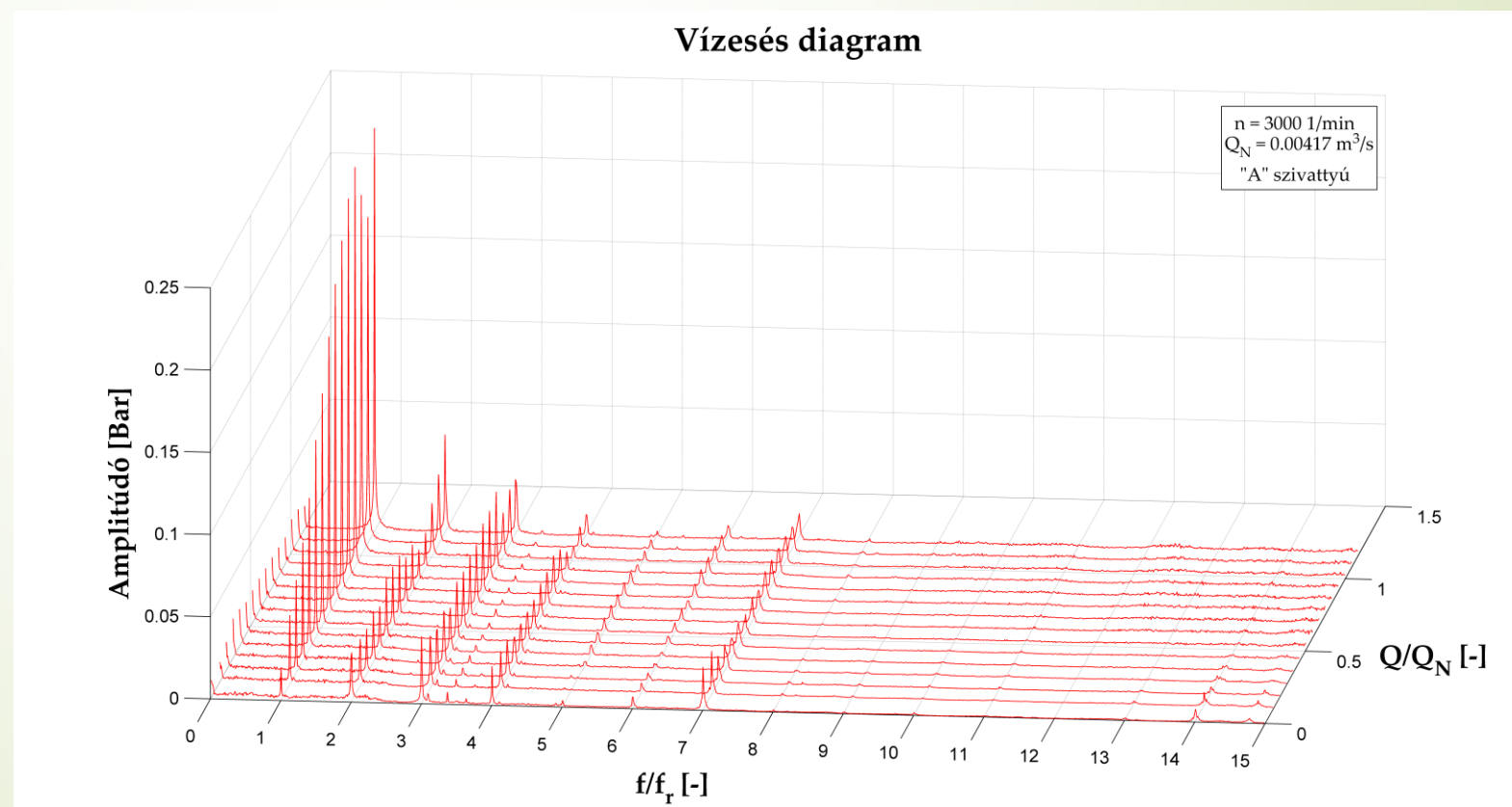


4. Origin of the peaks in the spectra

	Fizikai hatás	Hol növeli az amplitúdót?
Mechanical	Imbalance	$f_r (= n/60)$
	Eccentricity	f_r
	Deflection of pivot	$1 \cdot f_r - 2 \cdot f_r$
	Fitting errors	$1 \cdot f_r - 3 \cdot f_r$ (even $3 \cdot f_r - 8 \cdot f_r$)
	Wear of bearings	$1 \cdot f_r - 3 \cdot f_r$
	Alignment of parts	$1 \cdot f_r - 6 \cdot f_r$ (maybe $0,5 \cdot f_r, 1,5 \cdot f_r, 2,5 \cdot f_r$ is)
Hydrodynamic	Number of blades	$f_{BPF} (= f_r \cdot z)$
	Flow separation	Small frequency broadband noise
	Cavitation	Broadband noise at high frequency
Motor	Motor instability	Frequency modulation
	Nonlinearity	Harmonic components

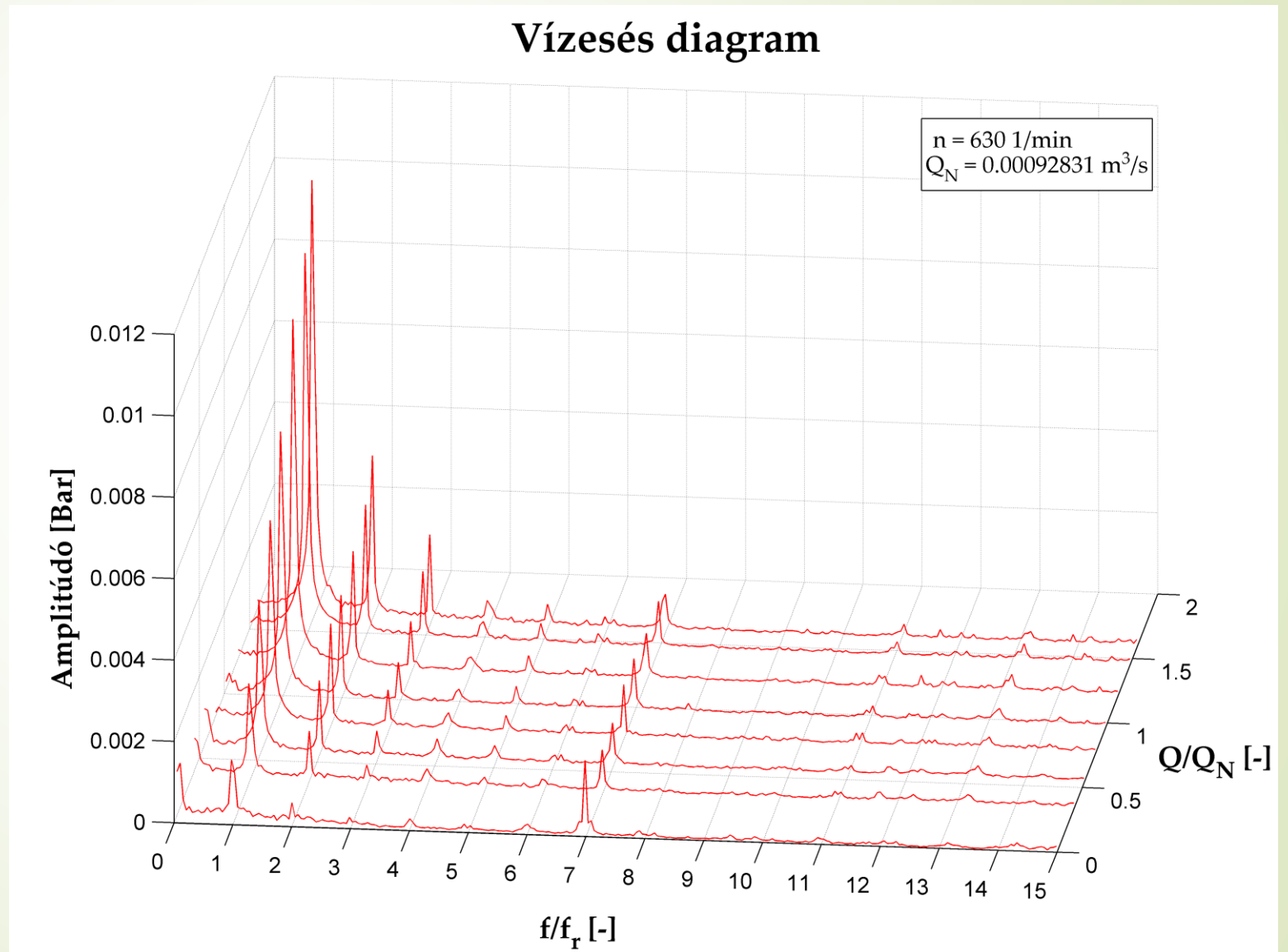
5. Waterfall diagram along a characteristic curve

- Spectra as a function of the volume flow rate at constant revolution number
- Dimensionless quantities:
 - f/f_r
 - Q/Q_N



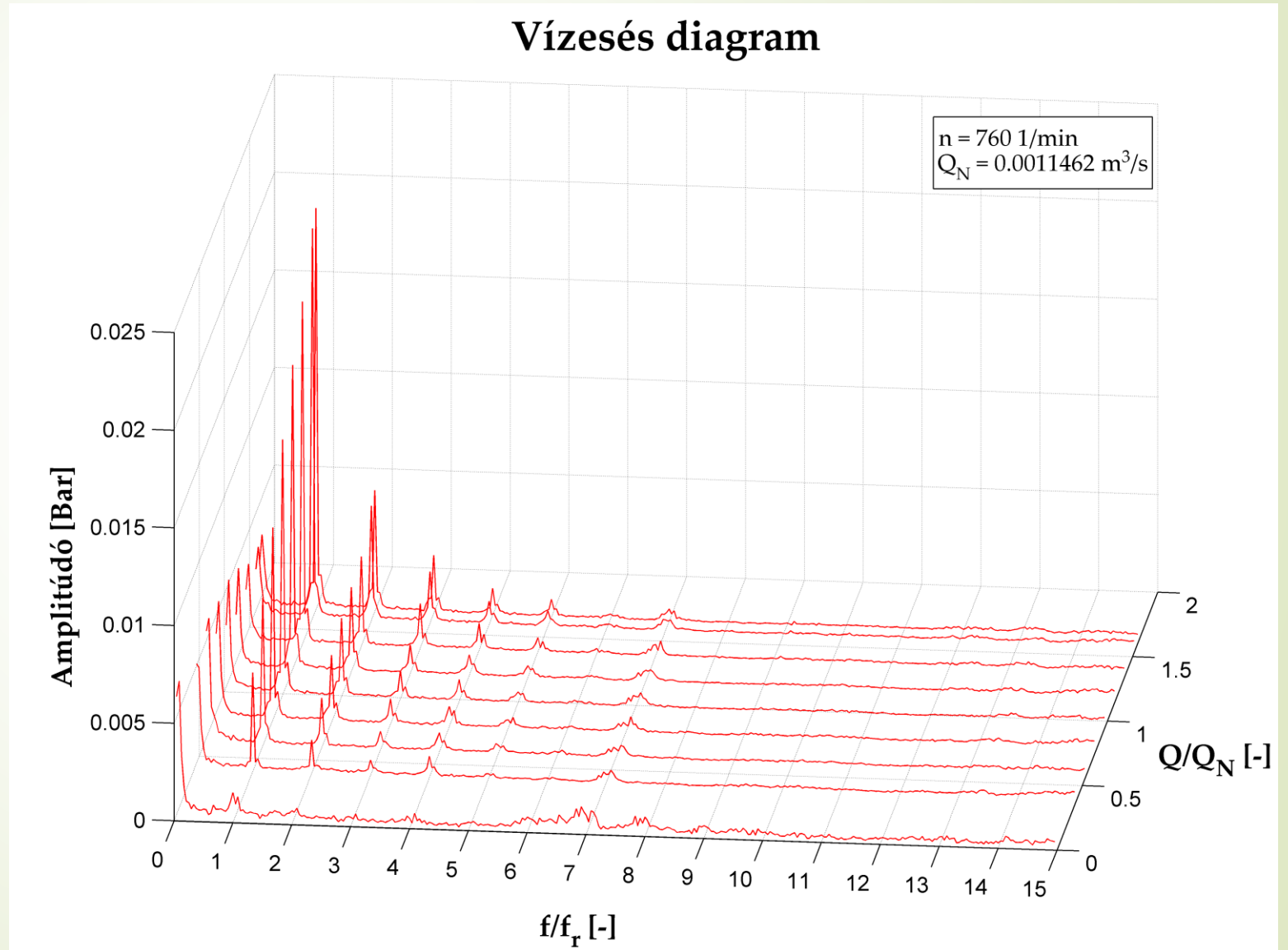
6. Pump (A), $n=630$ 1/min

- Mainly mechanical forces: eccentricity and imbalance. The frequency $f/f_r=1$ has been strongly excited.
- Effect of nonlinearity is clear. (Exponential decay of the harmonics)
- The number of the blades are 7! The frequency component $f/f_r=7$ has been excited by the blades of the impeller. This peak has a physical origin, not only a harmonic component.



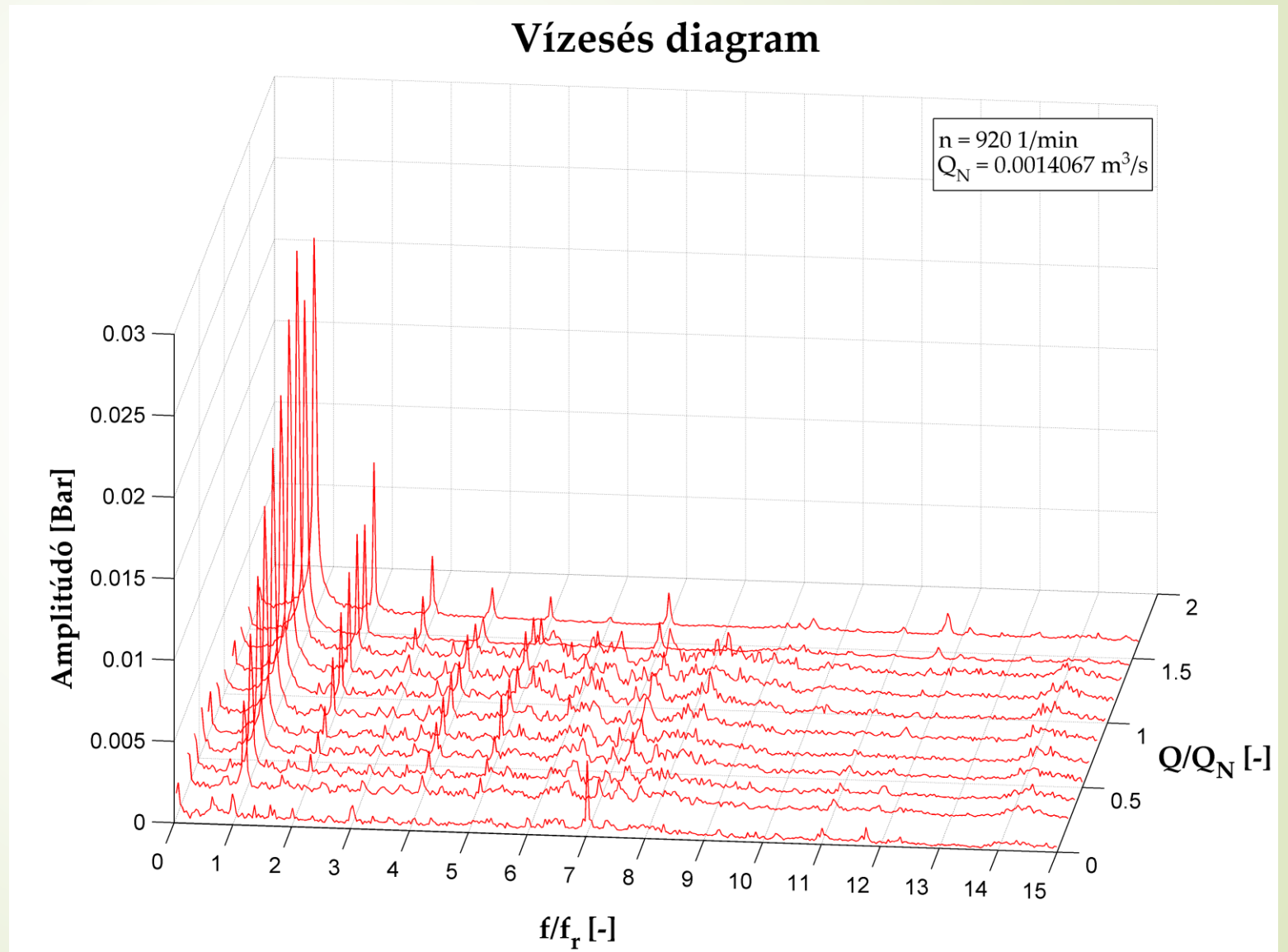
6. Pump (A), $n=760$ 1/min

- ▶ Similar conclusion as before!
- ▶ The frequency component $f/f_r=1$ suppress the frequency component corresponding to the blade passage frequency.



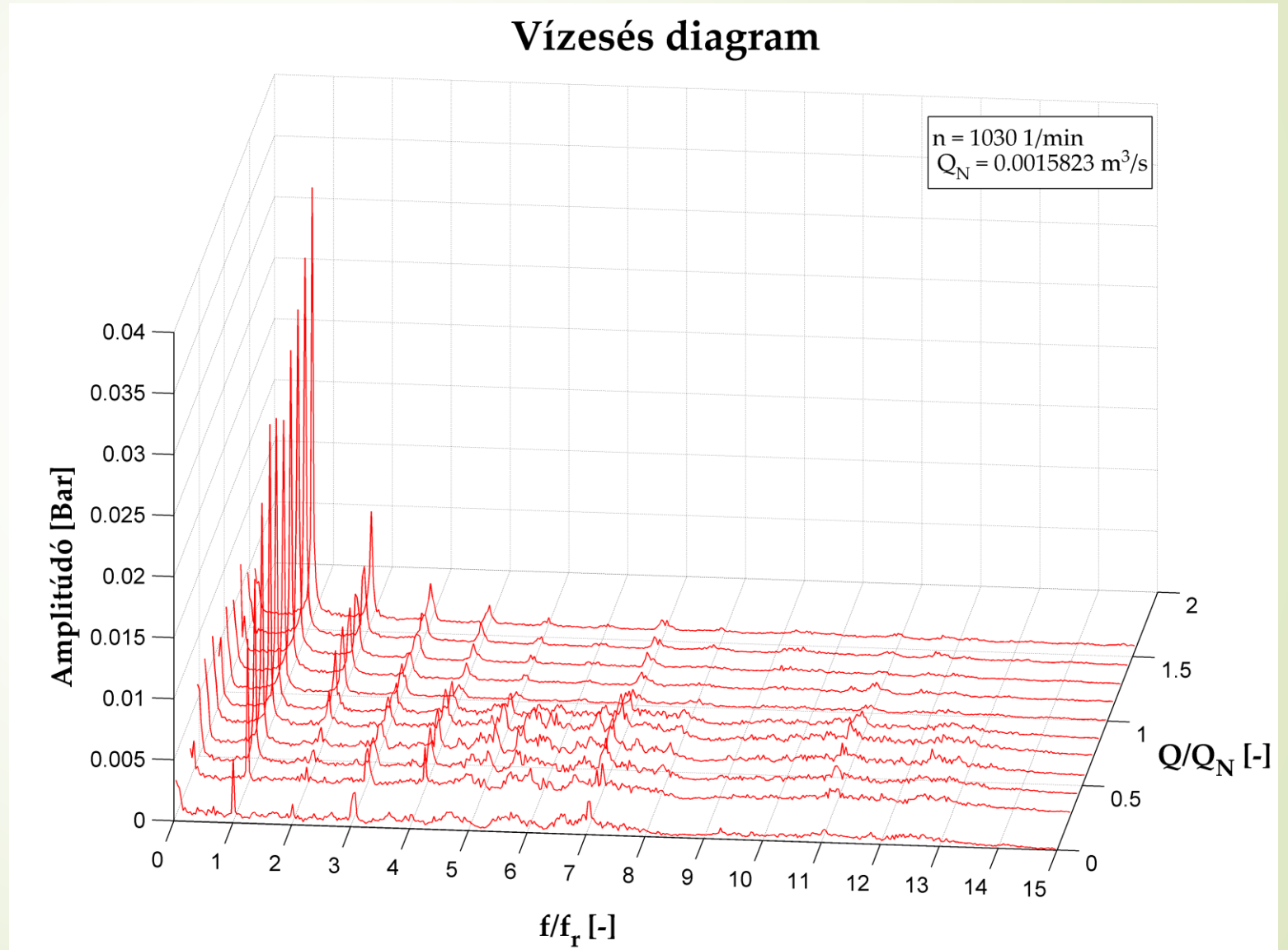
6. Pump (A), $n=920$ 1/min

- ▶ A broadband noise appear approximately at relative flow rate lower than $Q/Q_N = 1.4$. Here the vibration and the resonance of the whole test rig could be heard.
- ▶ This strong vibration smoothen the blade passage frequency.
- ▶ The appearance of the frequency components $f/f_r=4-5$ suggests the strengthen of mechanical forces: fitting and alignment inaccuracy etc...



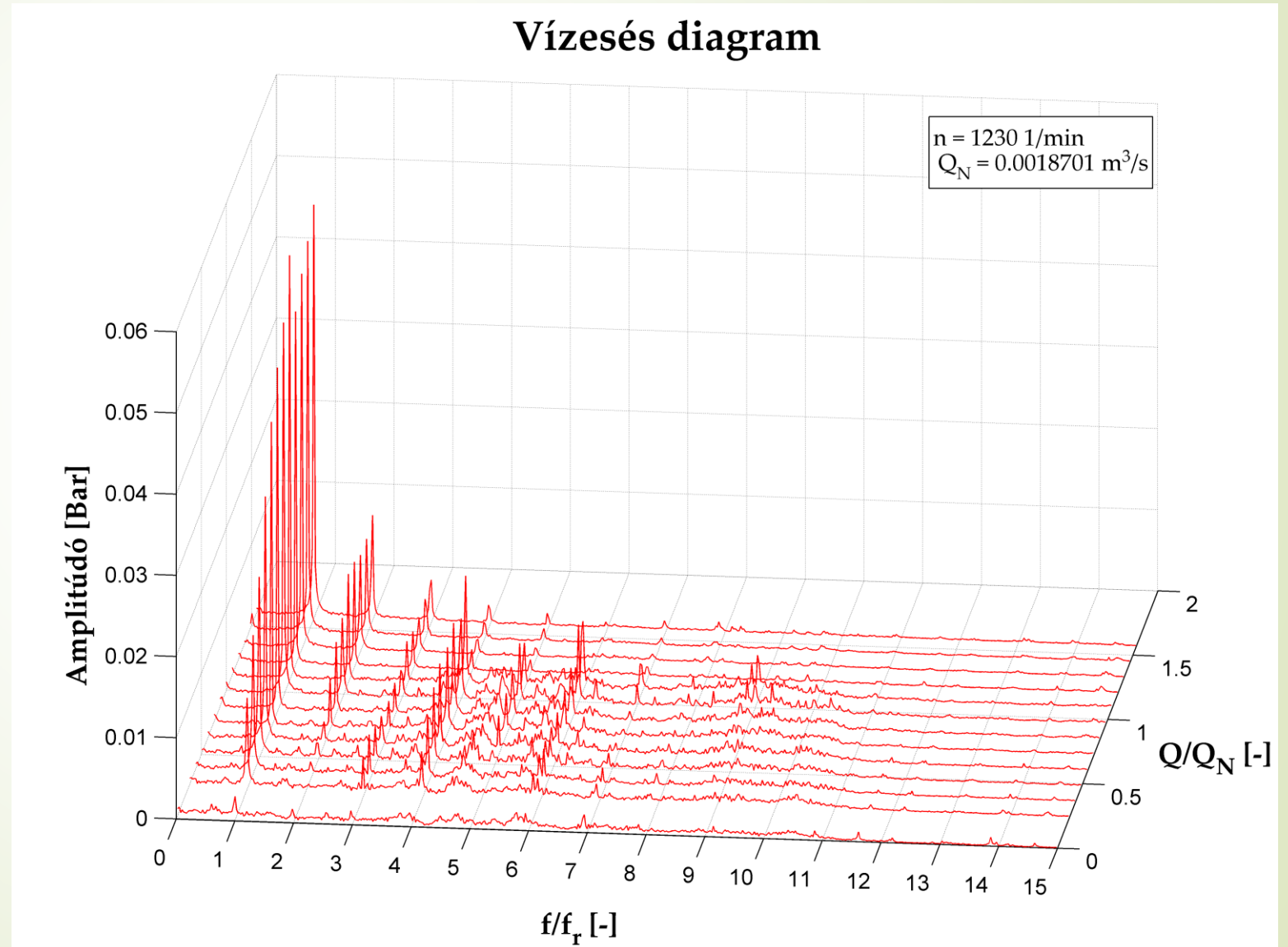
6. Pump (A), $n=1030$ 1/min

- Similar conclusion as before!



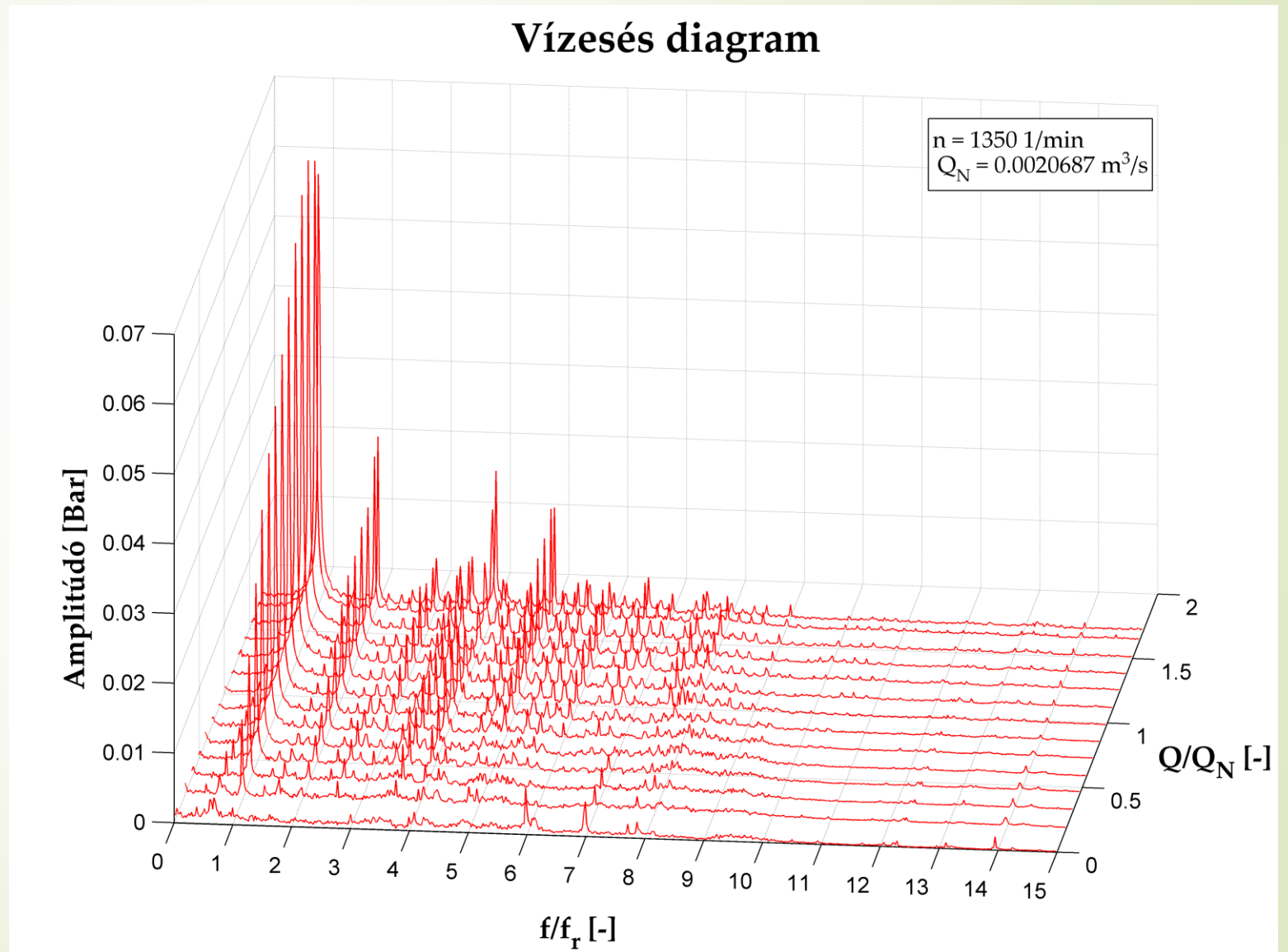
6. Pump (A), $n=1230$ 1/min

- ▶ Similar conclusion as before!
- ▶ It can be clearly seen that above $Q/Q_N=1.2$ the mechanical noise disappears and the main frequency component comes from the eccentricity and imbalance. The rest of the peaks are the effect of nonlinearity.



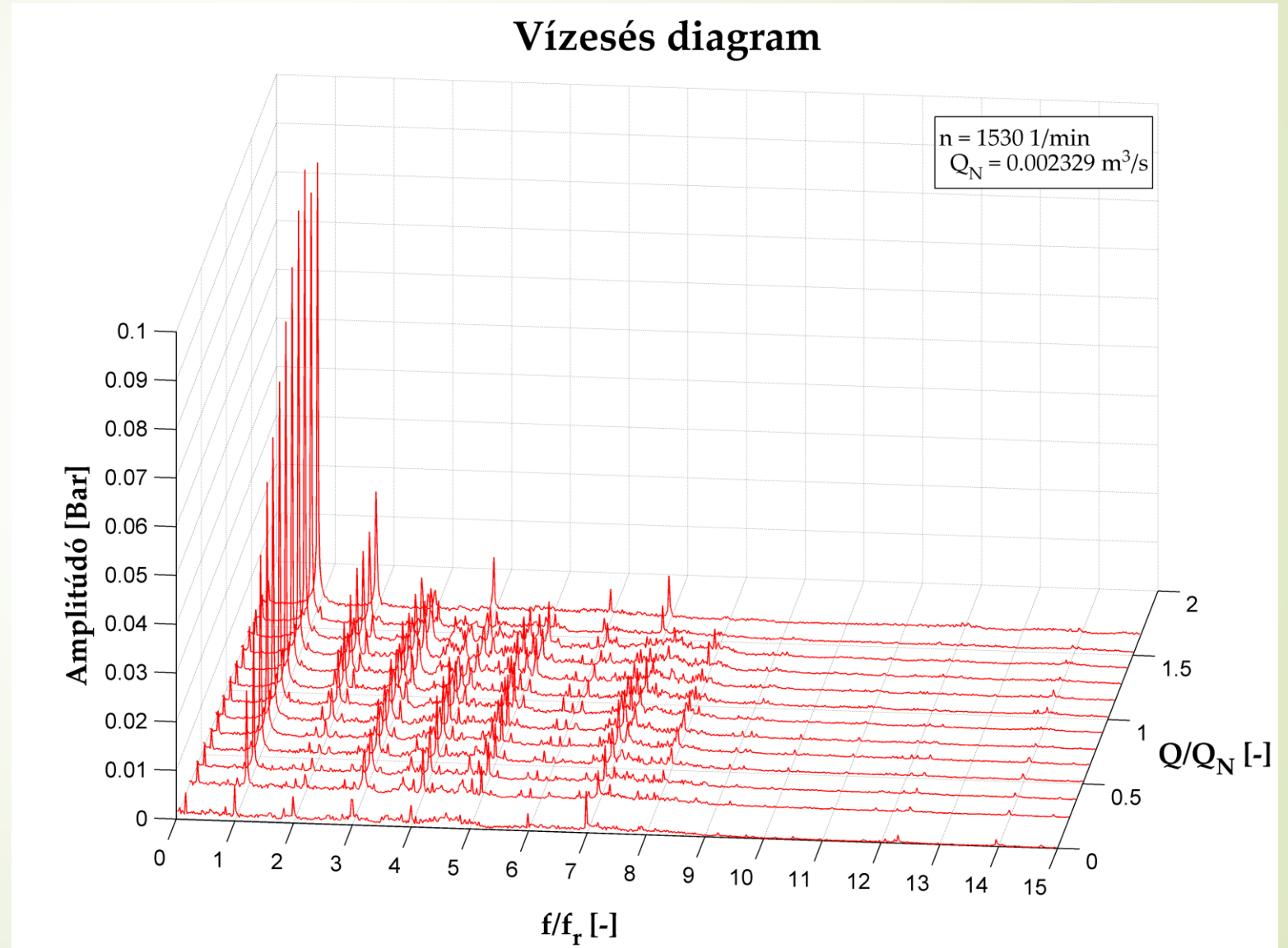
6. Pump (A), $n=1350$ 1/min

- Strong motor instability as a form of frequency modulation.



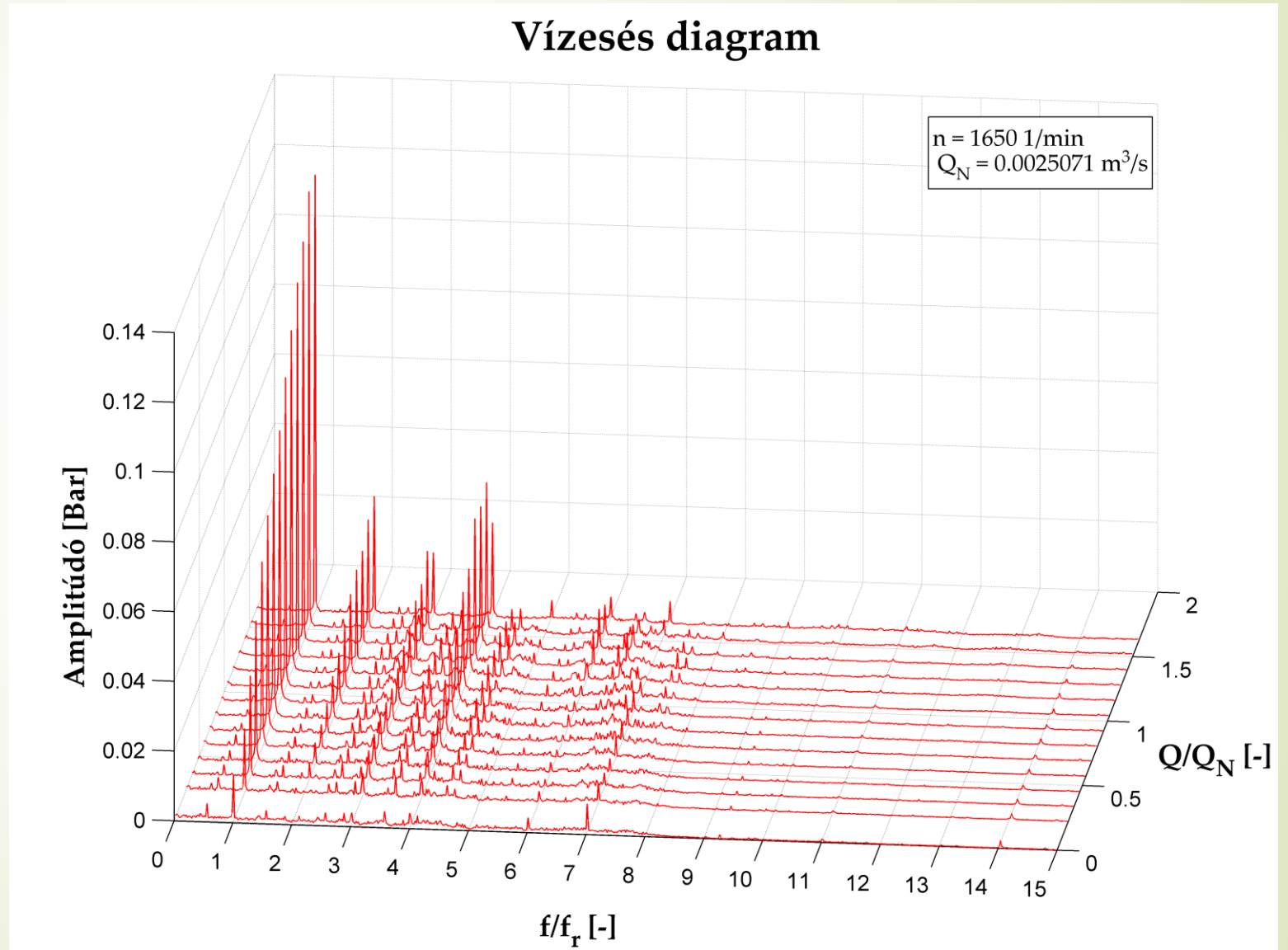
6. Pump (A), $n=1530$ 1/min

- ▶ The motor instability weakens, the frequency modulation is weak.
- ▶ Approximately above $Q/Q_N=1.5$ the motor instability disappears.



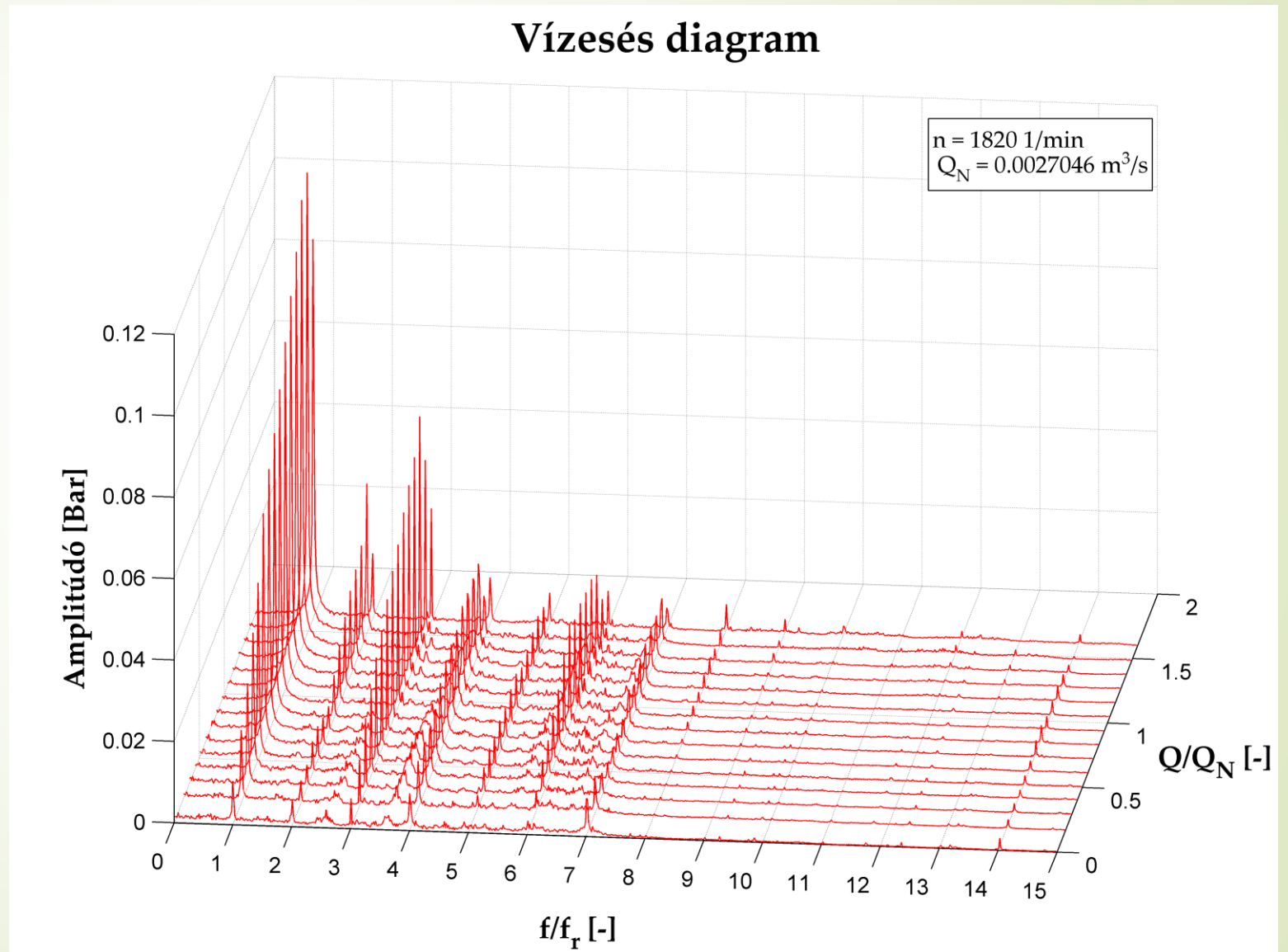
6. Pump (A), $n=1650$ 1/min

- Strengthen the mechanical noise. (Strongly excited harmonics)



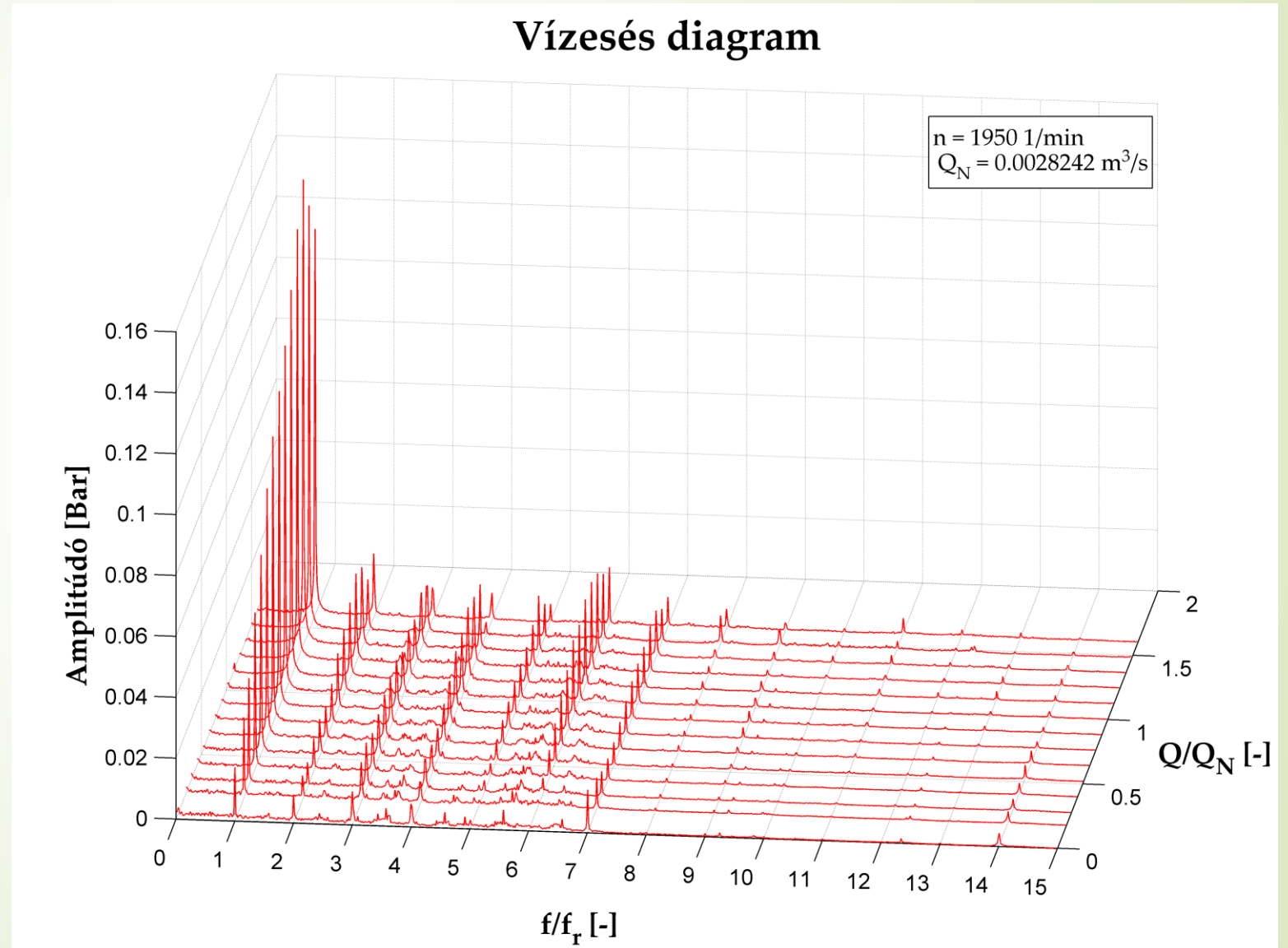
6. Pump (A), $n=1820$ 1/min

- ▶ The mechanical noise strengthens further. It is not surprising since the forces in such cases are proportional to the second power of the revolution number.



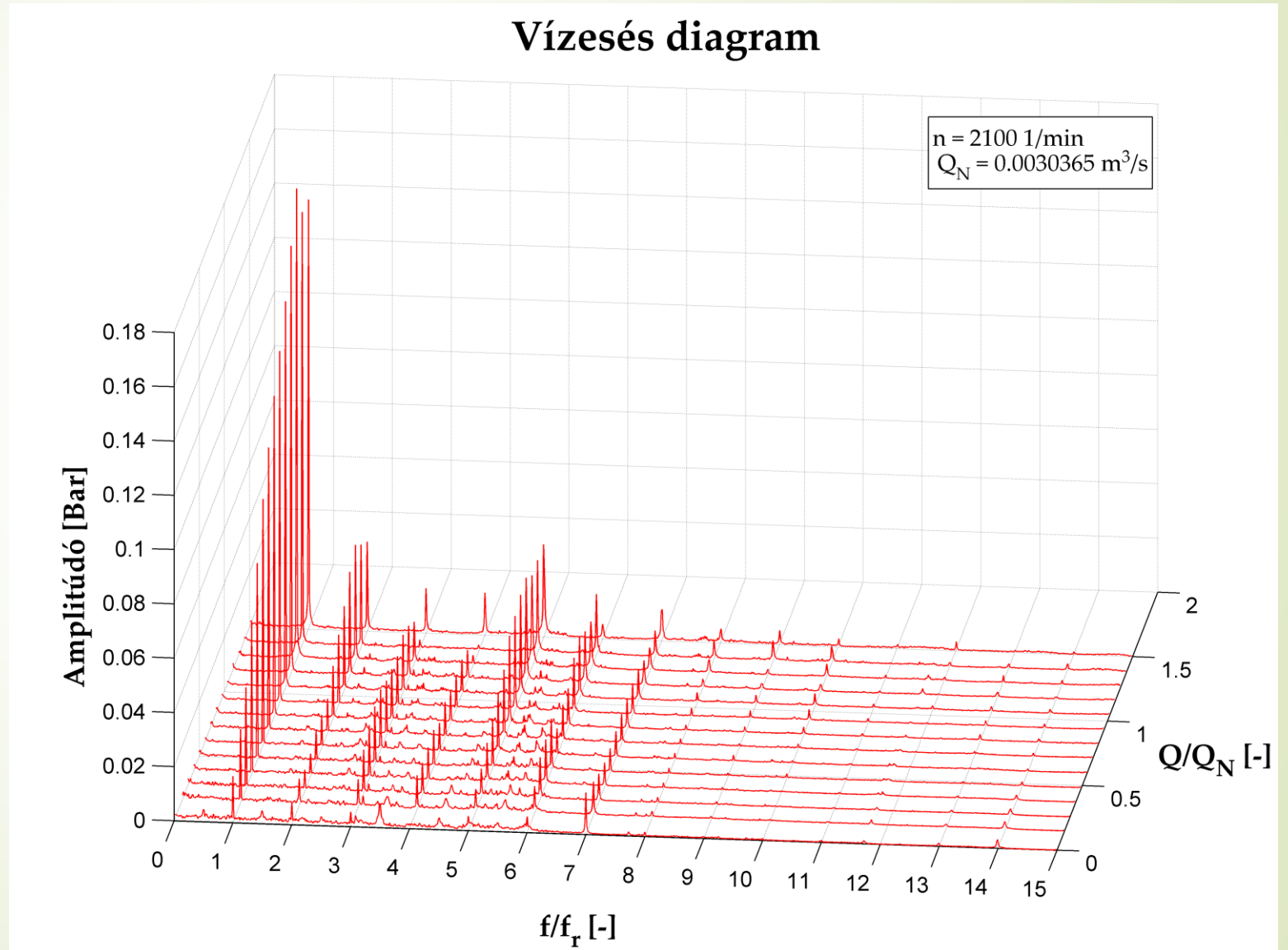
6. Pump (A), $n=1950$ 1/min

- Similar conclusion as before!



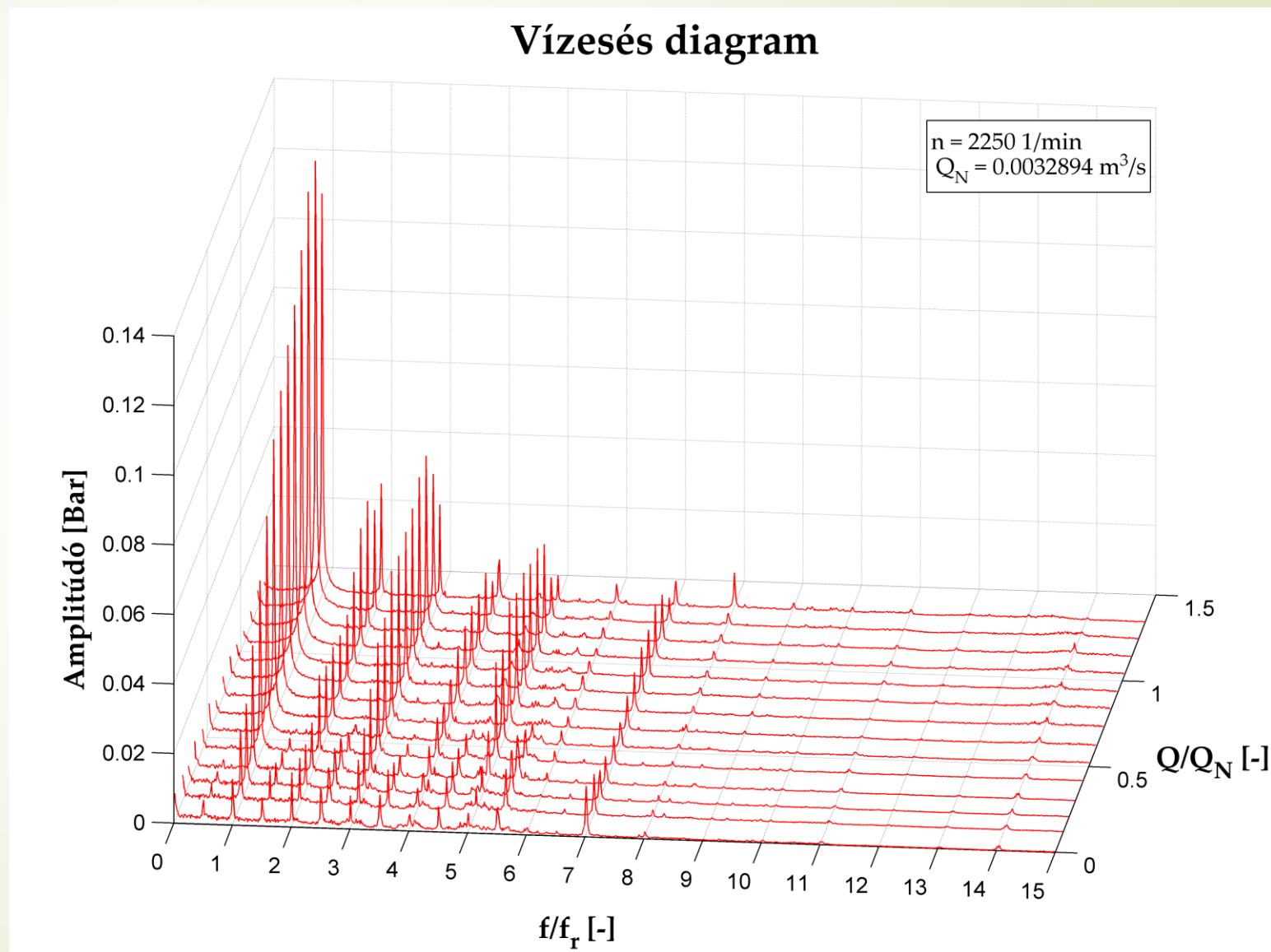
6. Pump (A), $n=2100$ 1/min

- Similar conclusion as before!



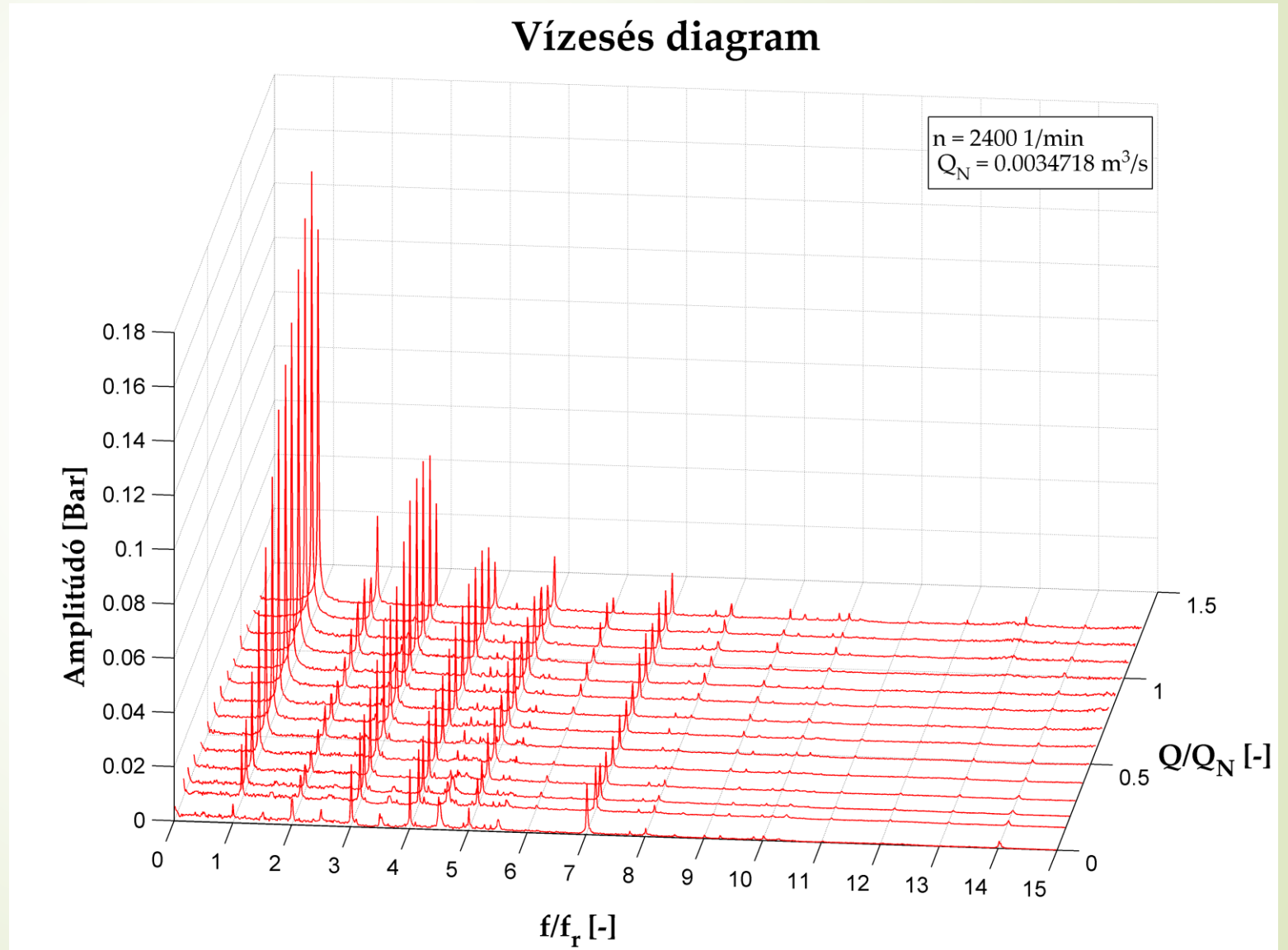
6. Pump (A), $n=2250$ 1/min

- ▶ Similar conclusion as before!
- ▶ At small flow rates, the appearance of “half” frequencies suggest the influence of the improper alignment of mechanical parts (according to the literature).



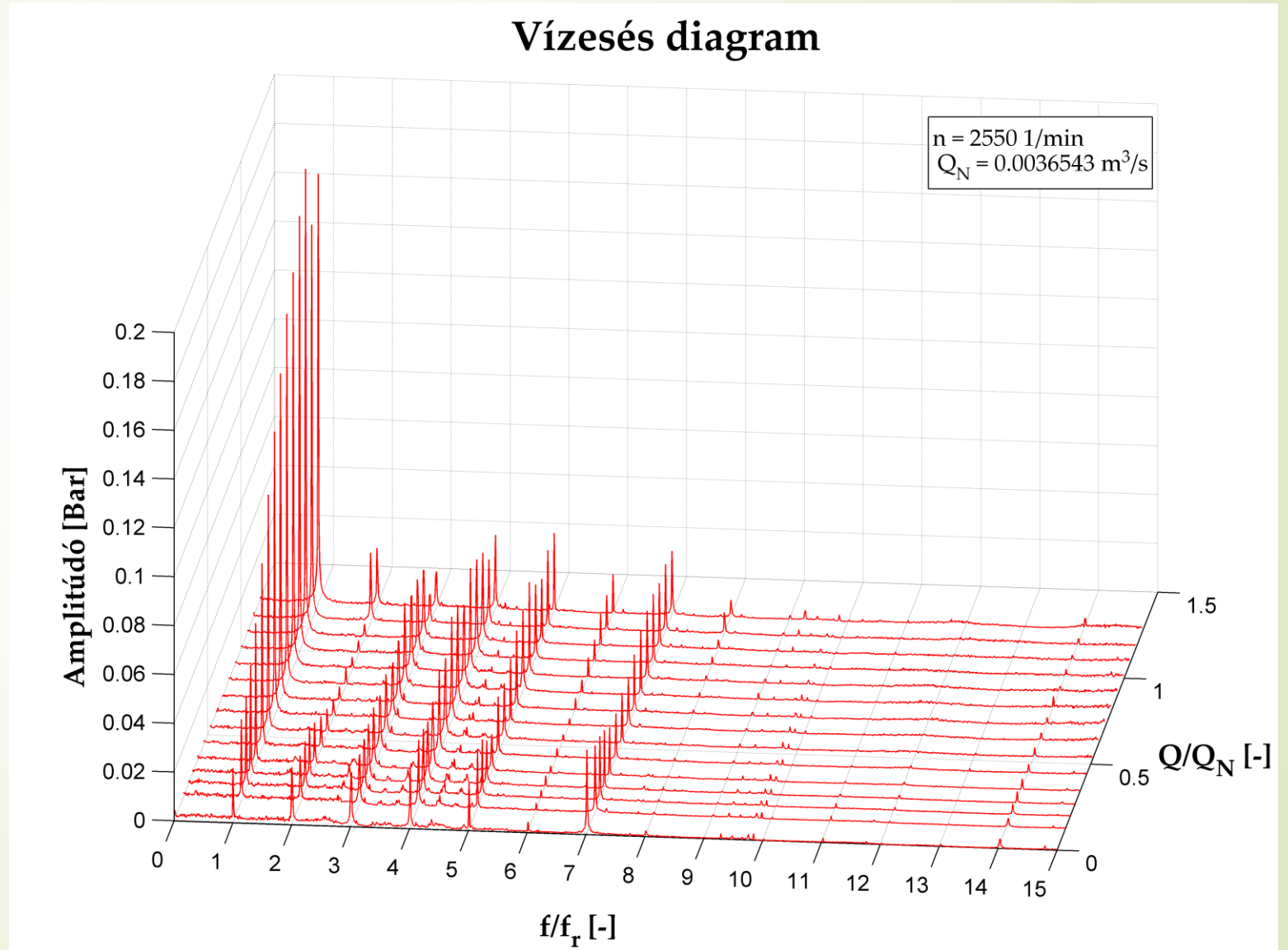
6. Pump (A), $n=2250$ 1/min

- Similar conclusion as before!



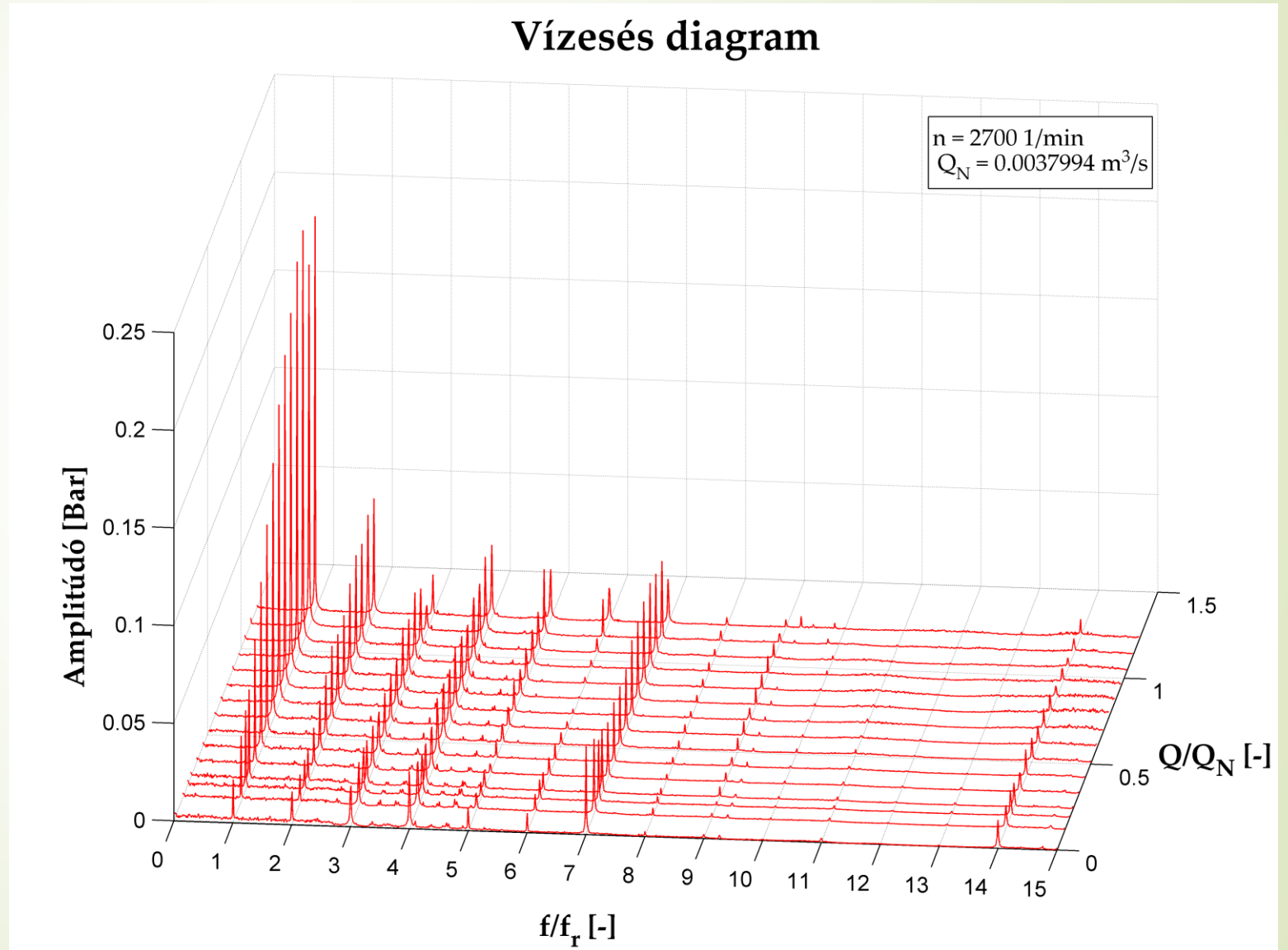
6. Pump (A), $n=2550$ 1/min

- Similar conclusion as before!



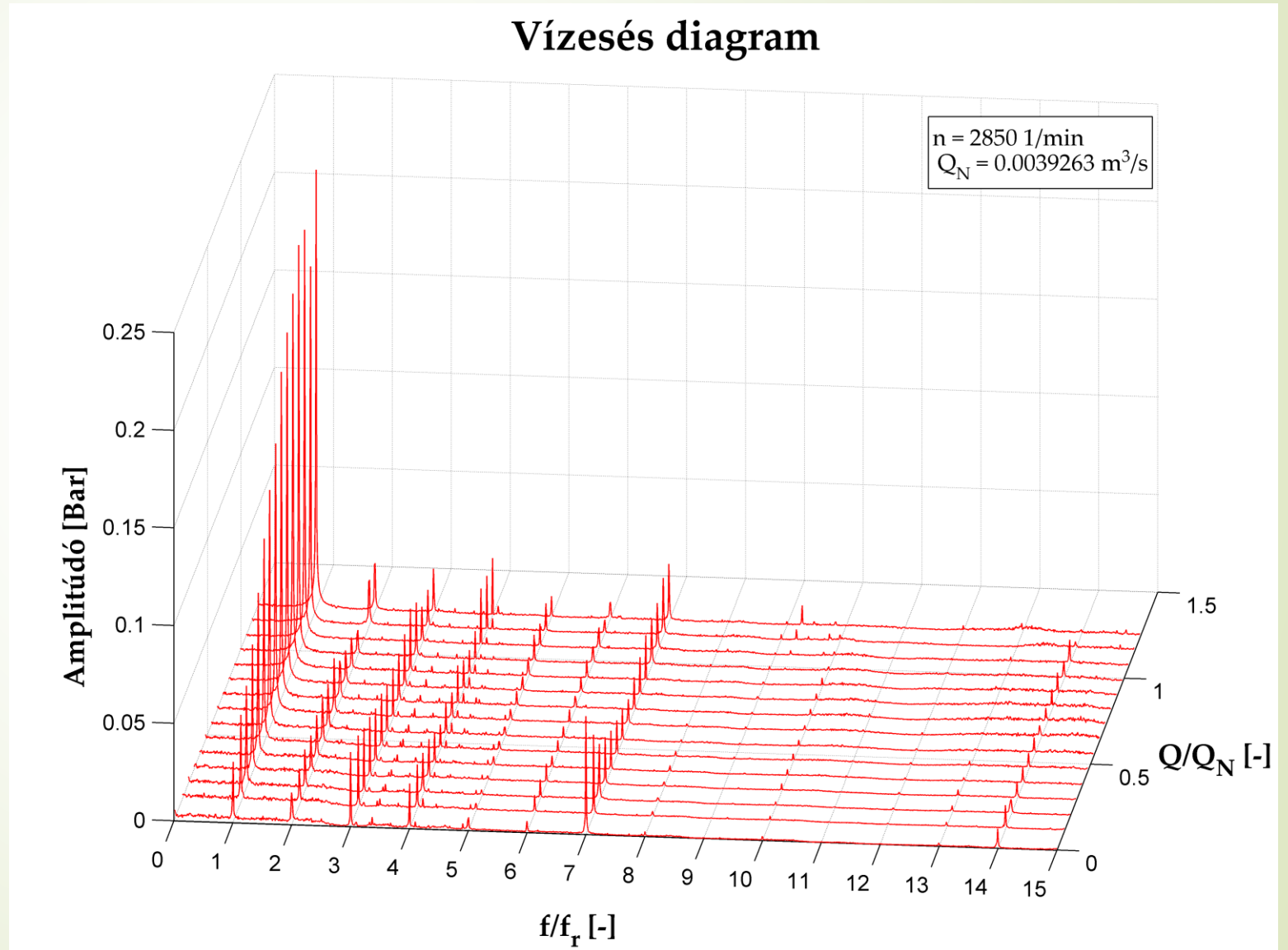
6. Pump (A), $n=2700$ 1/min

- Similar conclusion as before!



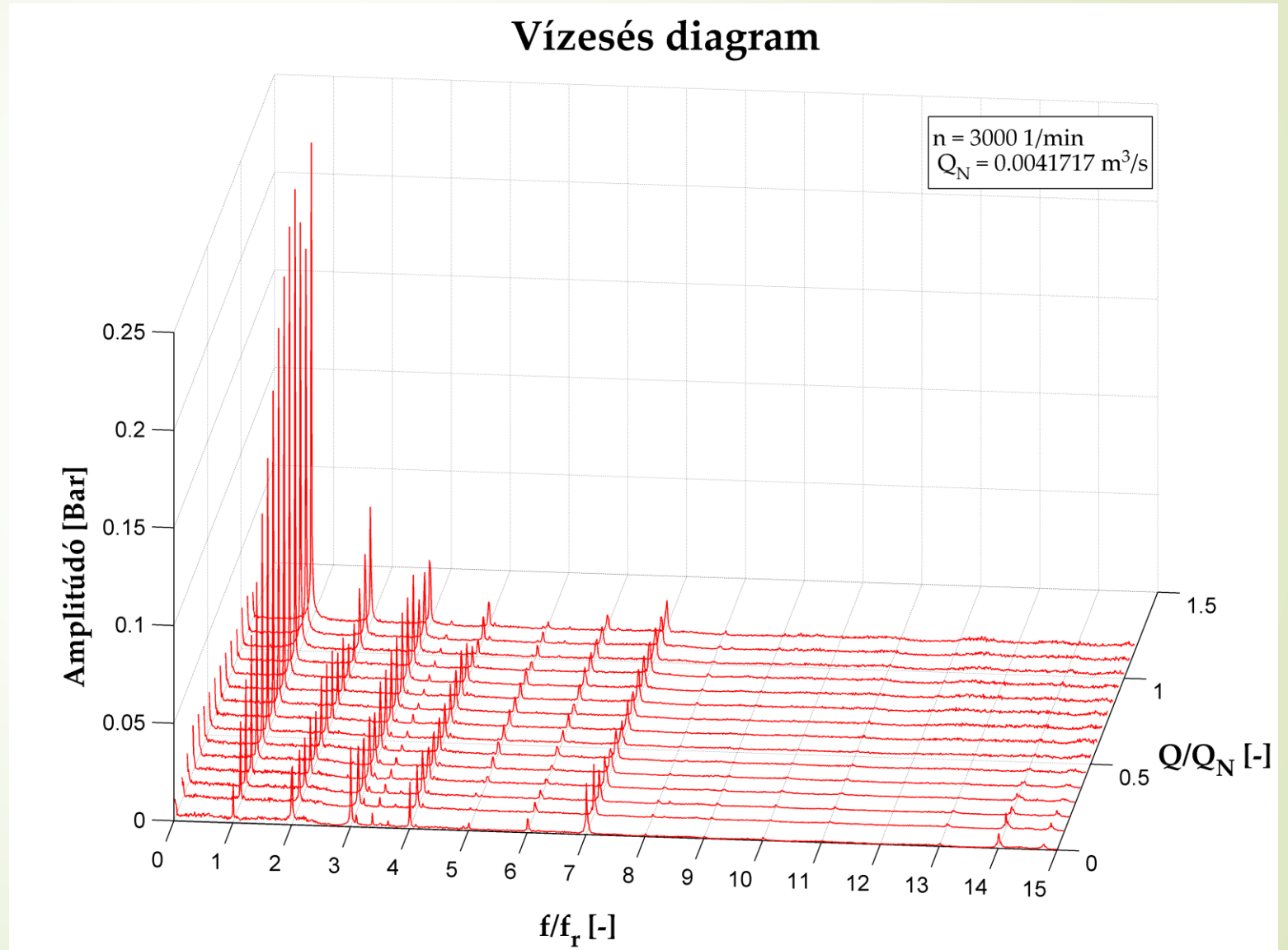
6. Pump (A), $n=2850$ 1/min

- Similar conclusion as before!



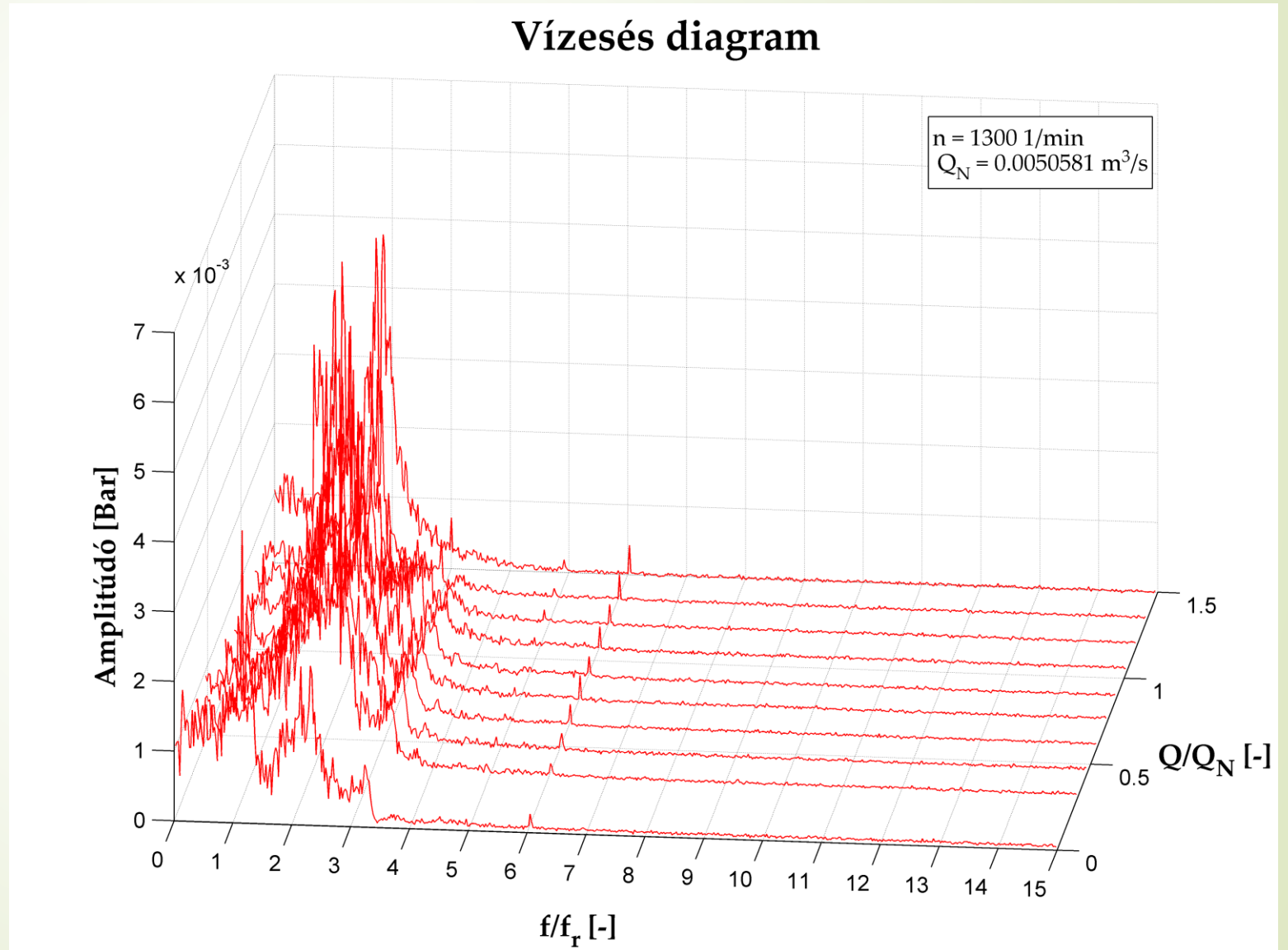
6. Pump (A), $n=3000$ 1/min

- Similar conclusion as before!



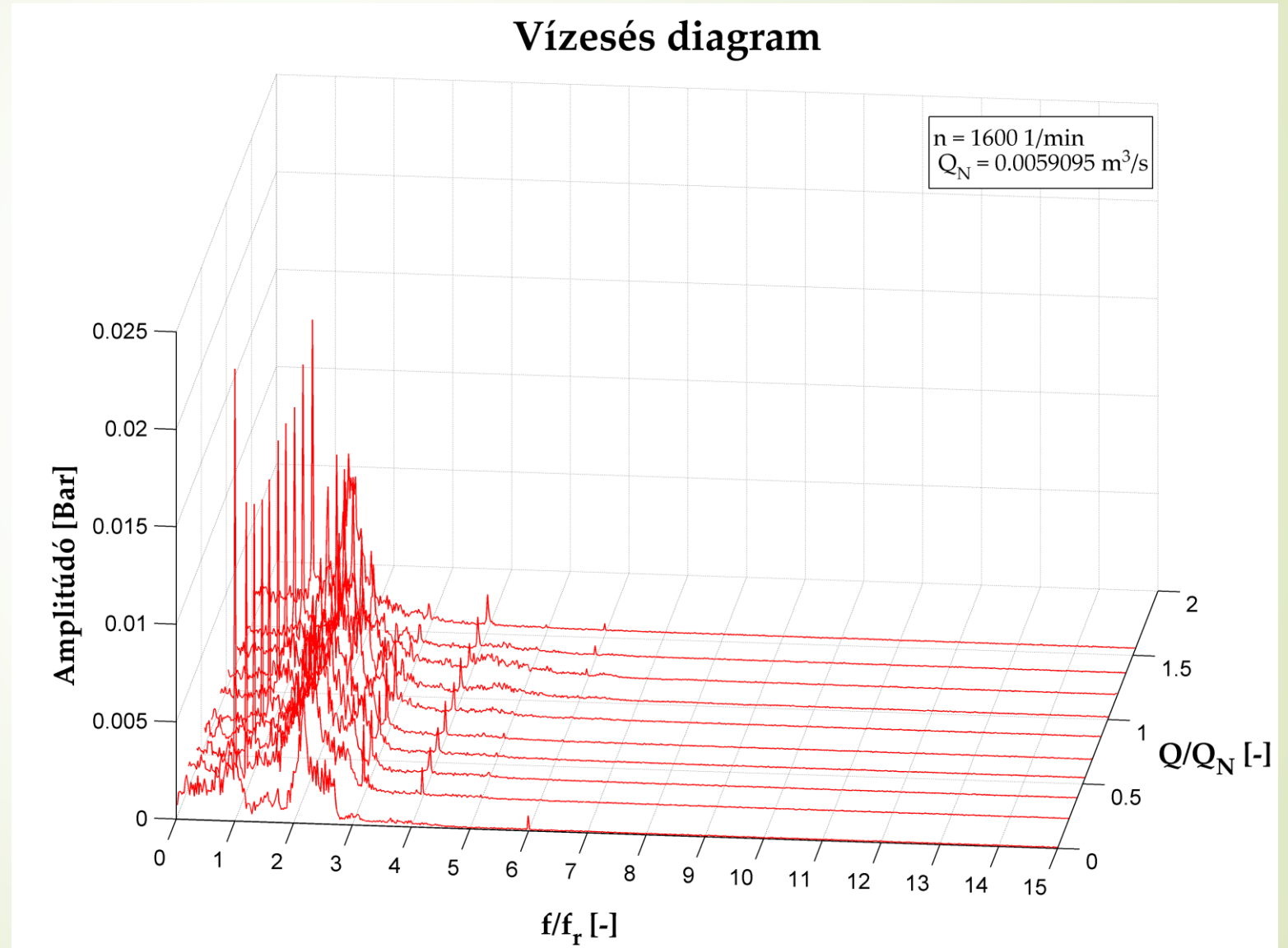
7. Pump (B), $n=1300$ 1/min

- Mainly hydrodynamic noise.
- The number of the blades is 6!
- There is no peak from eccentricity and imbalance.
- The noise level is orders of magnitudes smaller compared to pump (A)!



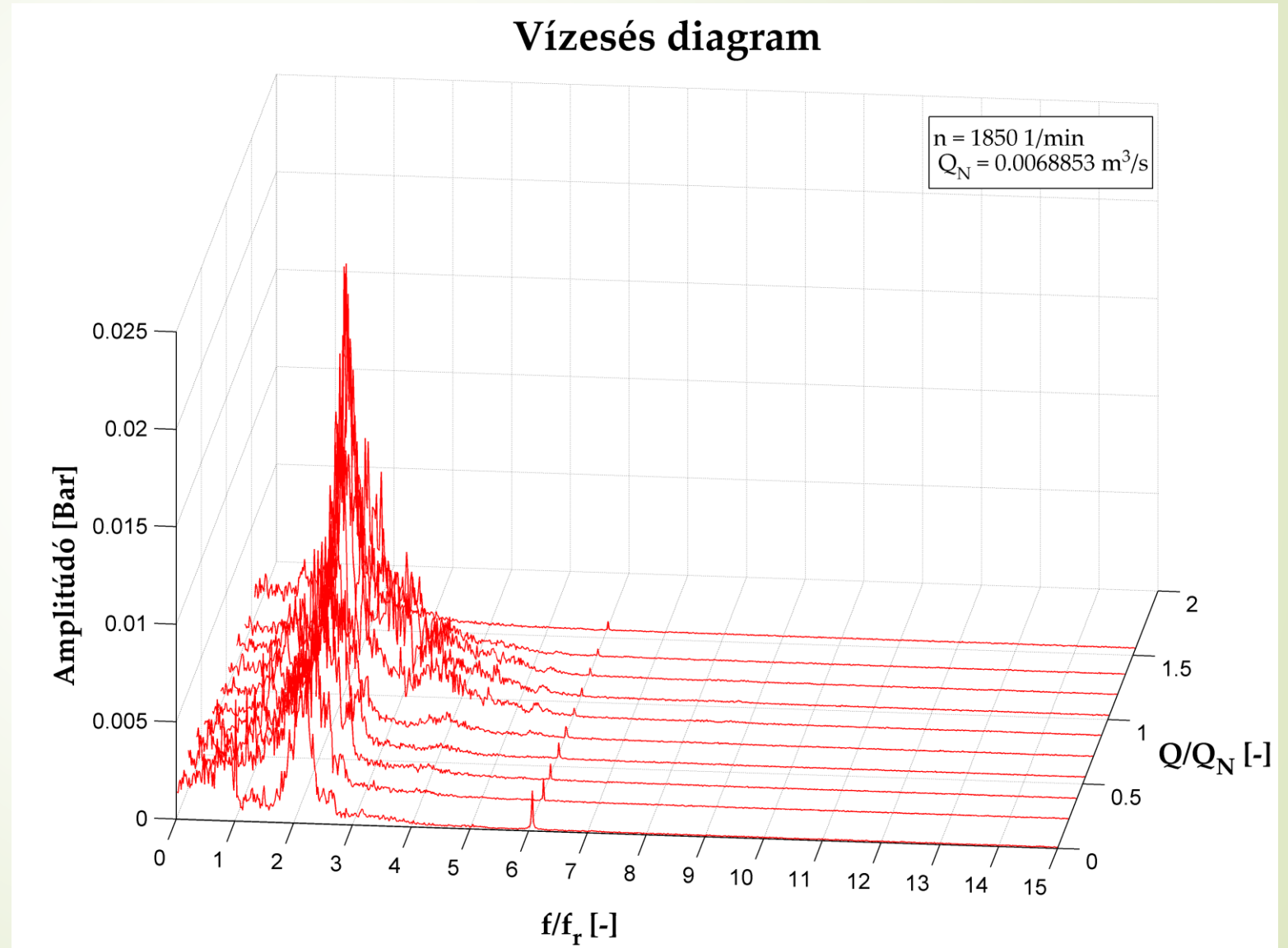
7. Pump (B), $n=1600$ 1/min

- ▶ The peak due to eccentricity and imbalance appears only at this revolution number, which has exponentially decaying harmonics.



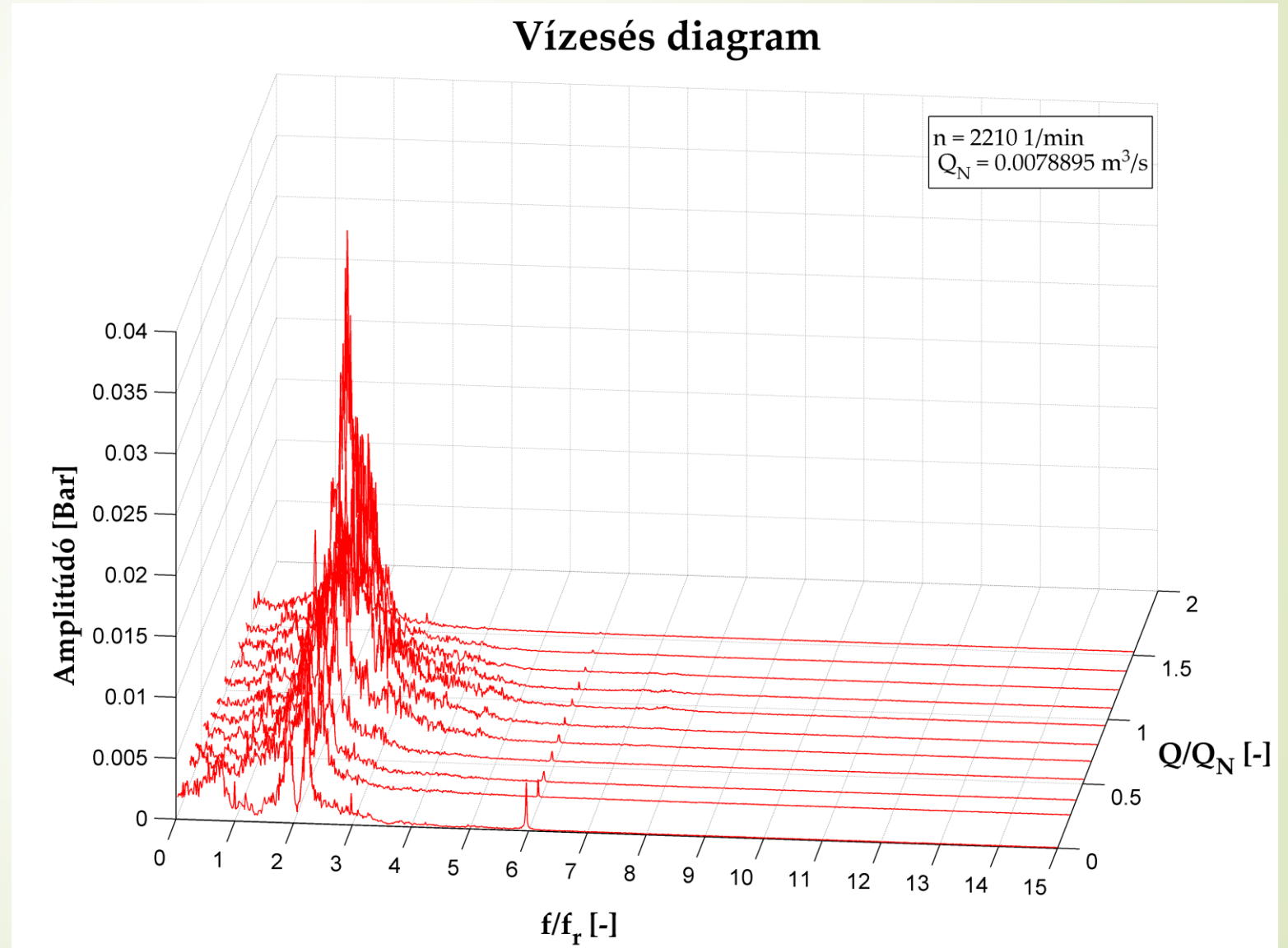
7. Pump (B), $n=1850$ 1/min

- Only hydrodynamic noise again.



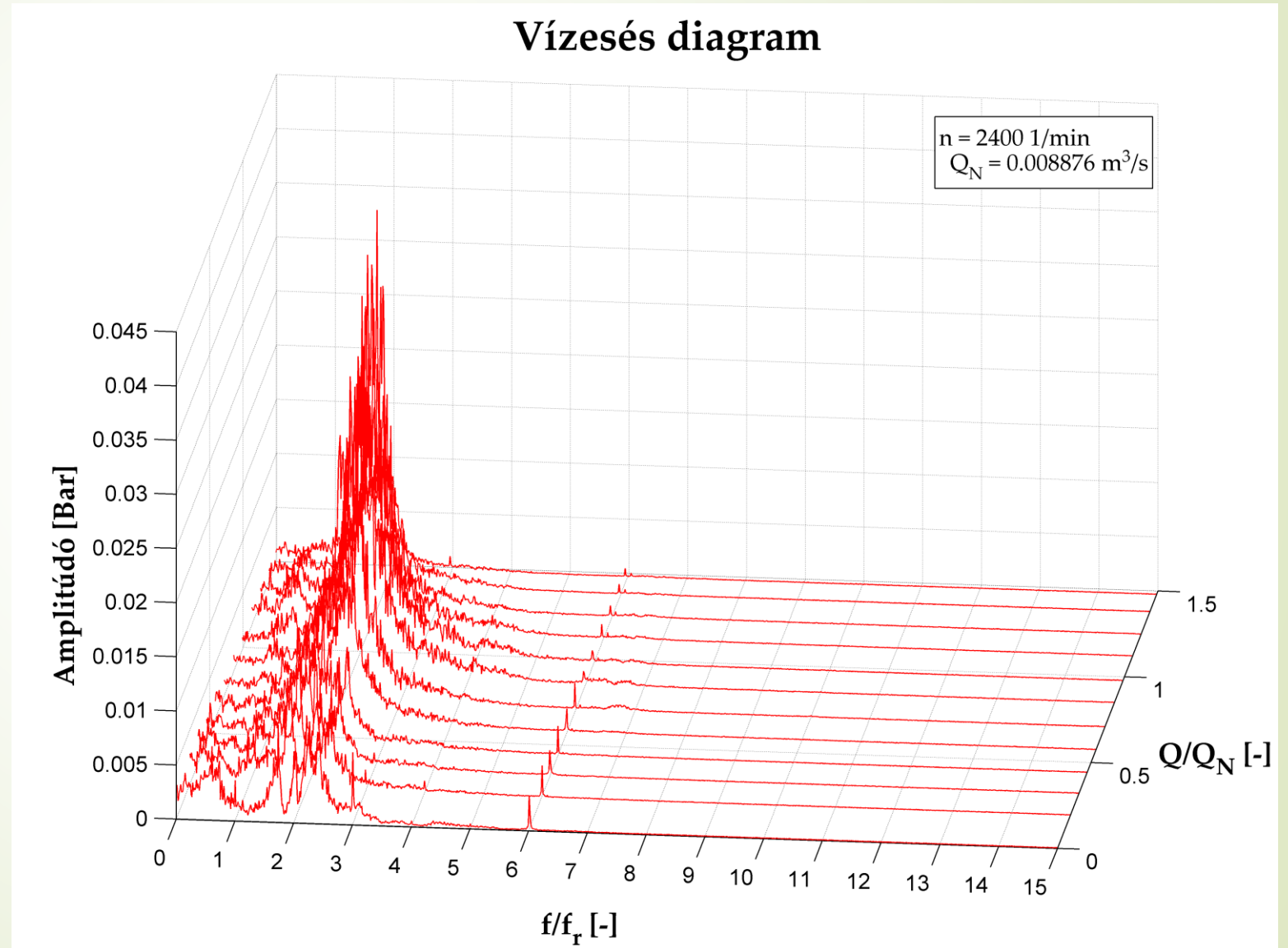
7. Pump (B), $n=2210$ 1/min

- Similar conclusion as before!



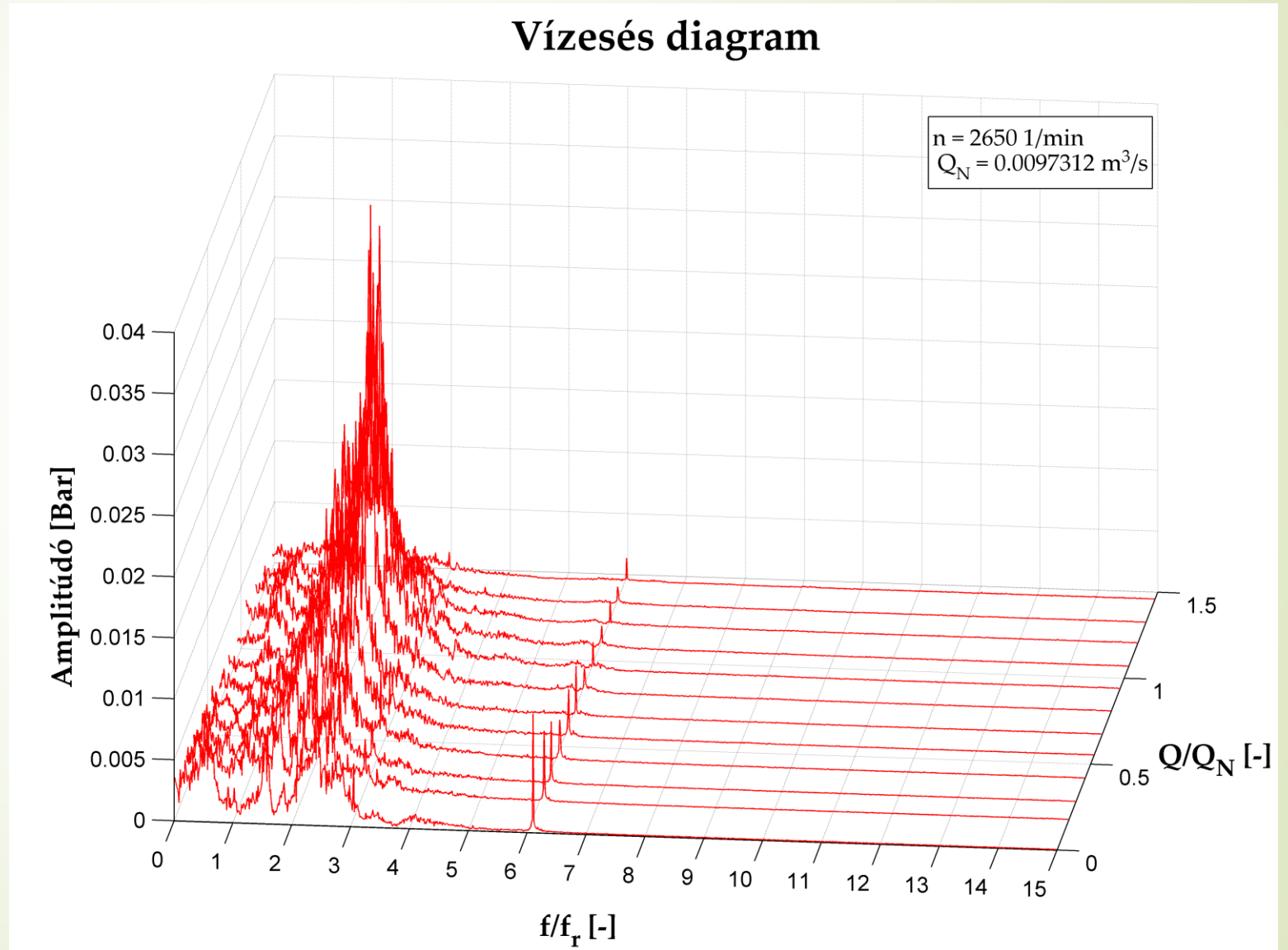
7. Pump (B), $n=2400$ 1/min

- Similar conclusion as before!



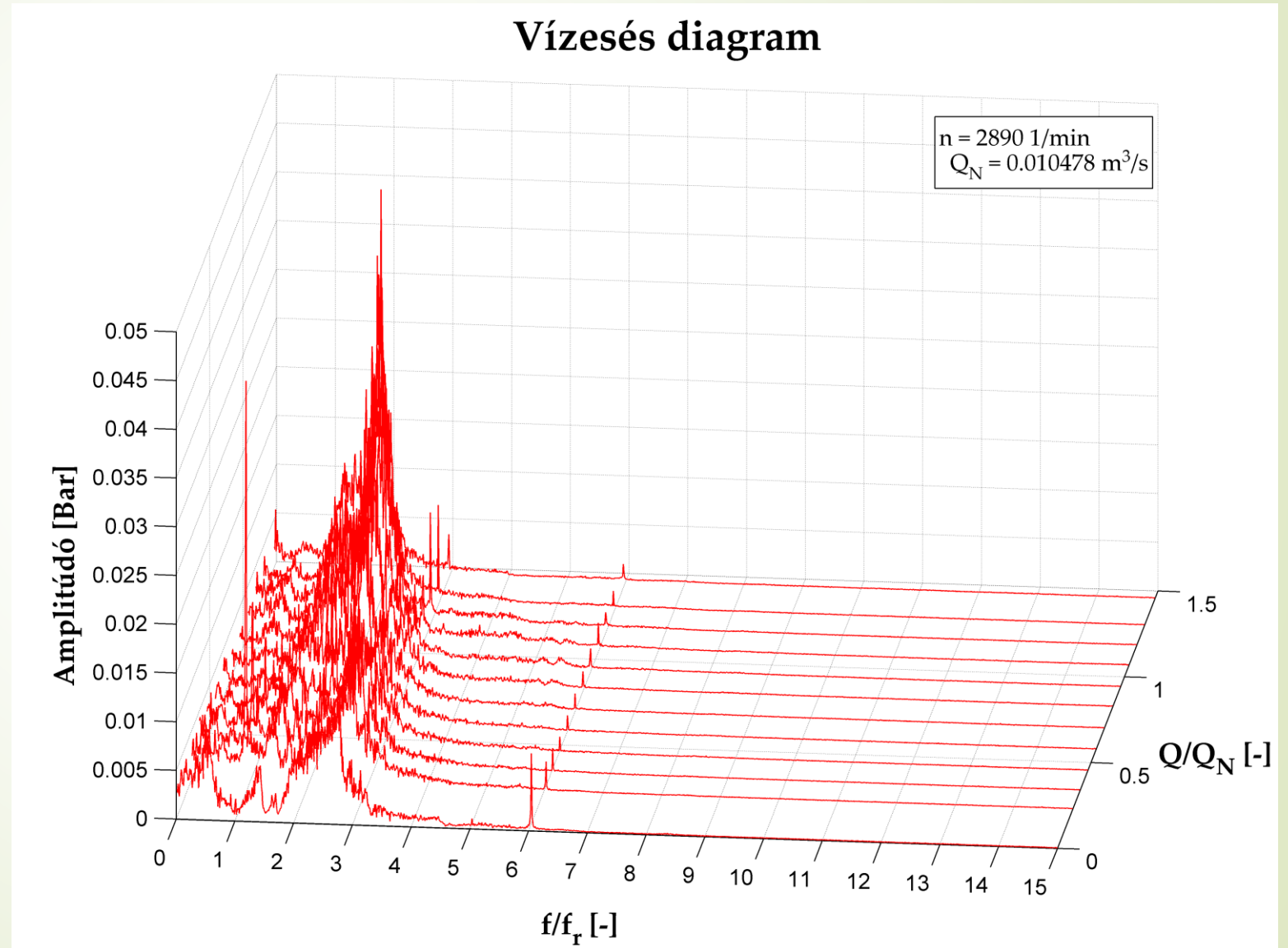
7. Pump (B), $n=2650$ 1/min

- Similar conclusion as before!



7. Pump (B), $n=2890$ 1/min

- Similar conclusion as before!



7. Pump (B), $n=3000$ 1/min

- Similar conclusion as before!

